Social evolution in *Melittobia*

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Abstract

Interactions between individuals can range from peaceful cooperation, through mediated contest, to escalated conflict. Understanding such diversity of interactions between individuals requires an understanding of the costs and benefits involved with these behaviours, and the influence of relatedness between interacting individuals. Species in the parasitoid wasp genus *Melittobia* display social behaviours at both extremes of this spectrum, from the potentially cooperative traits of the ratio of male to female offspring that they produce, and the dispersal of females to new habitats, to the extreme conflict of violent contests between males. In this thesis, I examine a number of aspects of social evolution in *Melittobia*. First, I consider the pattern of sex allocation – the division of resources between male and female offspring - where local mate competition theory predicts that females will adjust their offspring sex ratio (proportion of males) conditionally, with females laying increasingly female biased sex ratios as the number of other females laying eggs on the same patch increases. In Chapter 2, I show that *M. acasta* females always lay an extremely female biased sex ratio, and that this may be explained in part by the fact that male *Melittobia* engage in violent lethal combat in competition for mates. Early emerging males have a competitive advantage and thus there is a limited advantage for later laying females to produce a less female biased sex ratio. However, I also demonstrate that the advantage of early emergence can be reduced when we consider male body size, which is linked to fighting ability, suggesting that the occurrence of this extreme conflict does not fully explain the unusual pattern of sex allocation in *Melittobia*. In Chapter 3, I examine whether the level of dispersal varies in response to the extent of local competition for resources, and the relatedness between competitors. I use the species *M. australica*, which readily produces two distinct female dispersing morphs, to show that the production of dispersing females increases with the competition for resources. I consider the parallels between the evolution of dispersal and of sex ratio. In Chapter 4, I examine male fighting in more detail and explore theory that predicts that when extreme conflict does evolve, the incidence of fighting varies with resource value, number of competitors, and the level of relatedness between males. I show that mating opportunities are sufficiently
valuable that male *Melittobia* will always engage in fighting irrespective of relatedness, that there is no evidence of opponent assessment prior to fighting, and that the intensity of fights increases with the number of competitors. This thesis highlights the importance of considering combinations of social traits and the interactions between them, to understand the evolution of social characters.
Declaration

The research described in this thesis was only possible through collaboration, details of which are provided below.

Chapter 2
Experiments 1 and 2 were carried out with an undergraduate honours student, Jo Savage.

Chapter 4
Experiment 1 was carried out with an honours student Nita Rikkanen; and experiments 2 and 3 with a second honours student, Jenni Sanderson.

Unless otherwise stated, the remaining work and content of this thesis are my own.

Signed:

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Chapter 1 Introduction

1.1 Social evolution: cooperation to conflict

1.1.1 What are social behaviours?

A behaviour is termed social when it has consequences for both the actor (the individual carrying out the behaviour) and the recipient (Frank, 1998; West et al., 2007b). Clearly, this is often true for interactions, both cooperative and involving conflict. Social behaviours can be categorised depending upon their fitness costs and benefits (Hamilton, 1964): Selfishness benefits the actor, at a cost to the recipient; altruism benefits the recipient at a cost to the actor; mutualism benefits both actor and recipient; and spite has a cost for the actor and for the recipient (Table 1.1). Hamilton (1964) showed that a social behaviour will be favoured when \( rb > c \), where \( b \) is the benefit to the recipient, \( c \) is the cost to the actor, and \( r \) is the relatedness of actor to recipient. Hamilton’s (1964) rule underlies much of our understanding of social behaviour, and can be used to help explain behaviours ranging from sex ratio to dispersal and conflict; and exceptional examples where Hamilton’s rule does not apply, such as when extreme conflict occurs despite high relatedness (West et al., 2001; 2002), can be particularly informative.
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Table 1.1: A classification of social behaviours.

1.1.2 Cooperation to conflict

Interactions between individuals can lie anywhere on a spectrum between peaceful cooperation and escalated conflict. For instance, relatively peaceful cooperation occurs between cooperatively breeding vertebrates, and in a number of bird species where helpers remain at the nest to raise the subsequent offspring of a related breeding pair (e.g. Clutton-Brock et al., 2000; Griffin et al., 2003; Komdeur et al., 1997). In cases where contests are more likely, such as when male red deer or fighting fish compete for matings, violent escalation is often prevented by the ritualised behaviour and assessment which mediates these contests (Clutton-Brock and Albon, 1979; Jakobsson et al., 1979). Some form of convention or social hierarchy may also limit conflict, as seen between queuing females of the paper wasp *Polistes dominulus* (Cant et al., 2006; Innocent and West, 2006). At the opposite extreme of this spectrum, wingless male fig wasps compete violently within fig fruit for access to locally emerging female mates (Hamilton, 1979; Murray, 1987; 1989).

Why do some interactions lead to cooperation when others end in conflict? The key to understanding the range of behaviours observed is to understand the balance of costs and benefits for individuals, and to consider the influence on these costs and
benefits of relatedness. For instance, high costs incurred from not cooperating, or benefits (direct or indirect) gained from cooperation, can favour cooperative interactions (West et al., 2007a). While relatedness between individuals is an important factor in the evolution of cooperation – in particular for altruistic cooperation, where indirect fitness benefits are accrued - cooperation can also be favoured between unrelated individuals when, for instance, it is mutually beneficial but not altruistic (West et al., 2007a). Examples of such cooperation include mutualism, where cooperation occurs between individuals of different species; reciprocity, when repeated interactions occur, and individuals are more cooperative with those that have previously been helpful or cooperative; and cooperation because of the resulting direct benefits to an individual, such as increased predator defence or greater foraging success due to increased group size (West et al., 2007a). One way of looking at the importance of relatedness (r) for the evolution of social interactions is that, if r < 1 then selection can favour the evolution of conflict between individuals, whilst if r > 0 then selection can favour cooperation; this sets up a spectrum, along which the balance of costs and benefits, and the specific level of relatedness can vary to produce different behaviours. In general, the most common strategy observed when individuals have a conflict of interests is one of conflict limitation, where mechanisms have evolved to minimise the occurrence of costly, violent conflict (Maynard-Smith and Price, 1973). In order to fully understand why the outcome of interactions varies so much, it is important to consider specific examples (and identify the costs and benefits); it is particularly useful to study the extremes of this spectrum, and the exceptions to the general rule of conflict limitation. In some instances, both extremes of cooperation and conflict are found within the same species, often associated with unusual natural history (Hamilton, 1979; Murray, 1987). And, as the factors that bring individuals together to cooperate will also bring them together to compete, both cooperation and extreme conflict can be favoured between relatives (West et al., 2001; 2002).

In this thesis, I consider the social evolution of the parasitoid wasp genus *Melittobia*, which exhibits behaviour at both spectrum extremes: these wasps display both
potentially cooperative traits, such as sex ratio and dispersal (of females); and also extreme conflict, most strikingly in the form of fatal fighting (between males).

1.1.3 Sex allocation and dispersal as social behaviours

Within the field of social evolution as a whole, a large amount of work has considered two widespread social traits, sex allocation and dispersal. One reason for this is because the costs and benefits associated with social behaviours will vary, depending on the demographic context within which individuals interact; and the distribution of resources and individuals is a central component of this (Frank, 1998). Why are these two traits considered to be social? Both sex ratio and dispersal commonly occur in situations where a number of individuals interact, and often when these individuals are related. More specifically, with local mate competition (LMC; Hamilton, 1967b; see section 2.2), the optimal sex ratio will depend upon the level of competition between relatives. And in contrast, dispersal from a patch where related individuals must compete can be favoured in order to reduce the level of competition experienced by relatives (Hamilton and May, 1977; see section 1.4 and chapter 3). Both sex ratio and dispersal have commonly been used as model traits for developing methods for social evolution theory (Frank, 1998; Taylor and Frank, 1996). In addition, sex ratio and dispersal are interesting traits to consider together because: (1) there are a number of similarities between the evolutionary processes leading to the evolution of dispersal and of sex ratio; (2) the evolution of these two traits is affected by the same factors, and they may influence each other. Therefore it is possible to consider sex ratio and dispersal independently, and also to try and understand the interaction between these traits within a wider social context.

1.1.4 Thesis aims & outline

In this thesis I consider aspects of the social evolution of the parasitoid wasp genus *Melittobia*. A number of aspects of the biology of *Melittobia* are unusual (details in section 1.3 and chapters 2-4), and I use this system to ask questions about several of
these social traits: sex ratio, female dispersal, and fatal fighting amongst males. Moreover, *Melittobia* are a good system for trying to understand different social traits at the same time, as this system allows us to ask questions about the relationship between social traits, as well as the traits themselves.

In chapter 2, I examine the pattern of sex allocation in *Melittobia*, and ask: What is the pattern of sex ratio observed in *Melittobia*, and is sex ratio adjusted with variation in LMC? Does fatal fighting between male offspring influence sex allocation? And are there additional/alternative influences? I describe the pattern of sex allocation in *Melittobia acasta*, which produces an extremely female-biased sex ratio, and shows a lack of sex ratio adjustment. I discuss the potential explanations for this unusual pattern of sex allocation.

In chapter 3, I ask: Is dispersal in this system influenced by competition between relatives? And is the pattern of dispersal associated with the pattern of sex allocation? Here, I consider the evolution of dispersal when relatives compete for resources. *Melittobia* species produce two female morphs, a dispersing and a non-dispersing form. I describe the patterns of morph production, and then examine whether variation in the level of dispersal is related to the pattern of sex ratio.

In chapter 4, I focus on the nature of extreme fighting behaviour observed between male *Melittobia*, and consider how this behaviour evolved. Here, I ask: What is the nature of fighting behaviour between male *Melittobia* in competition for mates? What influences the intensity of fighting between males? Is the relatedness between opponents important? And finally, is there evidence for kin discrimination in *Melittobia*? I test experimentally the importance of several biological variables predicted to be important in competition for mates, resource value and competitor density. I also consider the influence of kin selection, and look for evidence of kin discrimination from the pattern of fighting behaviour with variation in relatedness.

In chapter 5, I summarise and discuss the key findings from experiments described in chapters 2-4, and make several general points highlighted by the work in this thesis.
In addition to the work contained in this thesis, I have also made significant contributions to a number of other projects during the same period of time, leading to several further publications. While my role in each was insufficient for the work to appear in chapters of this thesis, I had considerable input into these pieces of work, and both studies address questions that are relevant to the subject of this thesis; therefore, three additional publications are included as appendices to this thesis.

In appendix 1 a series of experiments are used to test theoretical predictions for conflict behaviour in the parasitoid wasp *Melittobia acasta*. Characteristics of the competitive environment, and of the individual, were both found to influence the extent of conflict behaviour between competing males. The level of fighting within a group increased with the density of competitors, but decreased with an increasing proportion of females present. Larger males were more likely to win contests than smaller males, with relative body size found to be a strong predictor of fight outcome. Furthermore, fights between size-matched or asymmetric male pairs were equally likely; this suggests that opponent assessment does not occur in *Melittobia* species. This study forms the basis for the work in chapters 2-4 of this thesis.

Appendix 2 describes a series of experiments assessing the importance of asymmetric larval competition in the parasitoid wasp *Nasonia vitripennis*. The predictions of LMC theory for optimal sex allocation vary when there is an asymmetry between the abilities of the sexes to compete for host resources during development. These results show that the body size of females, but not of males, is affected by the sex ratio of the developing clutch; this asymmetric larval competition is predicted to select for less biased sex ratios. However, theoretical models are then used to show that the influence of asymmetric competition on offspring sex ratio is negligible, in comparison to the strength of the effect of LMC. Overall, this study addresses another potential reason than those considered in chapters 2-4 for deviation from the predictions of LMC theory, when the fitness of male and female offspring varies; and illustrates the importance - and strength of - LMC for sex allocation in other parasitoid species.
Appendix 3 is a commentary I wrote on research carried out with the paper wasp *Polistes*, showing that the existence of a social hierarchy can be an important influence on, and mechanism for the regulation of, aggressive behaviour within groups. We discuss the potential impact of social environment on conflict between individuals, and the fact that conflict and cooperation can occur simultaneously.

Each chapter of my thesis has a specific introduction that describes the relevant literature. In the remainder of this introduction, I first describe the natural history of the parasitoid genus *Melittobia*, and then provide a brief overview of the relevant literature on the relevant aspects of sex allocation and dispersal.
1.2 Natural history of Melittobia

Species in the wasp genus *Melittobia* (Hymenoptera: Eulophid) are gregarious ectoparasitoids: adult females paralyse insect larvae or pupae and lay eggs on the external surface of the host, upon which their offspring feed during development. *Melittobia* species have an unusually wide host range for parasitoids that includes Diptera and Lepidoptera, though they most commonly parasitise large, solitary Hymenoptera (Balfour-Browne, 1922; Cooperband and Vinson, 2000; Dahms, 1984; Freeman, 1977; Freeman and Parnell, 1973; Gonzalez et al., 2004c; Matthews et al., 2009; Van den Assem et al., 1980). There are currently 12 species described within the *Melittobia* genus - including the species studied in this thesis, *M. acasta* and *M. australica* - which share common natural history in many respects (Gonzalez et al., 2004a; Matthews et al., 2009; Van den Assem et al., 1980). Several of these species, for instance *M. acasta*, have a worldwide distribution (Gonzalez et al., 2004a; Matthews et al., 2009; Van den Assem et al., 1980). Adult wasps are approximately 1-2mm in length, considerably smaller than their host species, which has important implications for their life history: as a consequence, up to several thousand wasps can develop on a single host, from few or many foundress females, developing simultaneously or across several – overlapping – generations (Matthews et al., 2009).

*Melittobia* species exhibit pronounced sexual dimorphism. Males are blind and flightless (with vestigial wings), and remain in the immediate area surrounding the natal host to compete for mating opportunities (Buckell, 1928; Dahms, 1984; Gonzalez et al., 2004c; Matthews et al., 2009). Males eclose before females – by up to several days - and engage in fierce lethal combat: during fights males use their highly modified mandibles to attack opponents, severing limbs, piercing abdomens and decapitating competitors (Abe et al., 2003b; 2005; Balfour-Browne, 1922; Buckell, 1928; Dahms, 1984; see also Hamilton, 1979; Hartley and Matthews, 2003; Innocent et al., 2007; Reece et al., 2007). This fighting is unusually extreme, and often only a single male will survive. Upon female emergence, the remaining male(s) will mate with all females on the local patch. In contrast, females are winged and
have fully functioning eyes; after mating most females will disperse to find new hosts (Matthews et al., 2009). If the host is encased in some form of puparium, females are adapted to chew holes in order to escape (Matthews et al., 2009).

Females commonly lay large clutch sizes – from as many as 200 offspring, up to more than a thousand per host, depending upon the host species (e.g. Abe et al., 2005; Balfour-Browne, 1922; Innocent et al., 2007; Matthews et al., 2009). As Melittobia species are haplodiploid, females can adjust their offspring sex ratio, by producing daughters from fertilised and sons from unfertilised eggs (Cook, 1993). Highly female-biased sex ratios have been reported for several Melittobia species, in the range of 85–95% female offspring for both lab studies and natural populations (Abe et al., 2003b; 2005; Cooperband et al., 2003; Gonzalez et al., 2004c; Innocent et al., 2007; Schmieder, 1938; Van den Assem et al., 1980). Studies suggest this sex ratio bias is unlikely to be due to the presence of sex ratio distorting bacteria, which have rarely been found in natural populations to date, and which have been shown experimentally to have little impact on the degree of sex ratio bias (Abe et al., 2003b). While data suggests that foundress number is variable in natural populations (and is influenced by host size and density; M. hawaiiensis: Freeman and Ittyeipe, 1976; Freeman, 1977; M. japonica, M. acasta: Van den Assem et al., 1980; M. femorata: Molumby, 1996; Cooperband et al., 2003), and therefore populations are subject to variation in LMC, a lack of sex ratio shift has also been shown for laboratory populations of several species (Abe et al., 2003b; 2005; Cooperband et al., 2003; Innocent et al., 2007; Matthews et al., 2009). A further consequence of haplodiploid sex determination in Melittobia is that virgin females are able to produce male offspring: studies suggest that they are able to lay a small first clutch of males, and mate with one of these sons upon emergence, in order to lay a larger second clutch containing females (Balfour-Browne, 1922; Dahms, 1984; Abe et al., in prep).

Two female morphs have been identified, a long-winged and a short-winged morph, which vary in proportion between broods (M. chalybii: Schmieder, 1933; M. australica: Freeman and Ittyeipe, 1976; Freeman and Ittyeipe, 1982; Dahms, 1984;
M. digitata: Consoli and Vinson, 2002a; Cooperband, 2003; M. clavicornis: Gonzalez et al., 2004a). The morphological differences between the morphs have been shown to correlate with different patterns of dispersal and associated differences in life history strategies (Consoli and Vinson, 2002a; 2002b; 2004; Cooperband et al., 2003; Dahms, 1984; Freeman and Ittyeipe, 1976; 1982; Gonzalez et al., 2004a; Schmieder, 1933; Innocent et al., in press; see chapter 3). The amount of dispersal relates to resource availability - which is known to vary across the host range – and studies suggest that morph determination is environmental, rather than genetic (Consoli and Vinson, 2002a; Matthews et al., 2009; Innocent et al., in press; see chapter 3). The studies of female dispersal dimorphism suggest that multi-foundress scenarios are likely, and highlight the potential for non-dispersing female offspring to superparasitise large hosts, leading to overlapping generations on a host (in culture, generation time at 30°C ranges from 14-21 days). Future work is needed to determine the pattern of morph production in natural populations, the consequences of overlapping generations for lethal male combat, and the potential relationship between dispersal rate and sex ratio.
1.3 Sex allocation

1.3.1 Fisher’s theory of equal investment

Decisions about how to allocate resources to offspring, in particular, sex allocation - the division of resources between male and female offspring - have important implications for individual fitness. Sex allocation theory predicts that individual females should allocate resources to male and female offspring in a way that maximises the fitness returns gained from these offspring (Charnov, 1982). The optimal strategy for sex allocation in large panmictic populations - first considered by Darwin (1871), and first modelled mathematically by Düsing (1883, 1884; in Edwards, 1998; 2000) - was eloquently explained by Fisher (1930). Fisher (1930) argued that, as observed in many species, equal investment in male and female offspring is favoured by natural selection. He reasoned that the total reproductive success for males must equal that of females, because an individual must be the product of two parents, one male and one female. In a population where males were common and females rare, then on average the reproductive success would be higher for the rarer sex, females. Consequently, parents who produced a higher proportion of females would also produce a greater number of grandchildren and gain higher fitness; and selection would therefore favour parents that overproduce the rarer sex. As a result of this negative frequency dependant selection, the proportion of the rarer sex in the population would increase towards an equal (unbiased) sex ratio. Similarly, if males were rare, the reverse would apply. Overall, theory predicts that equal investment in male and female offspring will evolve as the evolutionary stable strategy (ESS; Maynard-Smith, 1982), reflecting equal investment of resources in males and females, not necessarily equal numbers of males and females (Fisher, 1930).

Fisher’s (1930) theory of equal investment forms the basis of all sex allocation theory. It has been extended in numerous directions, by relaxing the implicit
assumptions, to explain cases of biased sex allocation (West, 2009). The field of sex allocation has a substantial theoretical underpinning, and makes specific predictions that have been widely tested empirically (Charnov, 1982; West et al., 2005; West, 2009). Much success in this area has followed from the fact that the important features of biology that influence sex allocation can be identified and modelled, and often sex ratio can be measured with relative ease in natural or laboratory conditions (West et al., 2000; 2005; West, 2009). Sex allocation theory is therefore able to explain variation in sex ratio and its fitness consequences across a wide range of taxa (Charnov, 1982; West et al., 2005; West, 2009). Consequently, sex allocation is one of the most productive and well-understood areas of evolutionary biology. This has made sex allocation a useful model trait for developing social evolutionary theory more generally (e.g. Taylor and Frank, 1996; Frank, 1998), and addressing more general biological questions (West et al., 2000; West, 2009). Within the field of sex allocation, most attention has focused upon cases where biased sex allocation occurs (West, 2009), and I discuss the relevant issues in more detail below.

1.3.2 Biased sex ratios & LMC: When more Mums = more sons…

One important reason for biased sex allocation is the influence of cooperative or competitive interactions between relatives (Hamilton, 1967a; Taylor, 1981; West, 2009). Local resource enhancement (LRE) occurs when producing one sex increases the fitness of relatives, and so selection favours sex allocation biased towards this sex (Trivers and Willard, 1973; Taylor, 1981). For instance in species where offspring of one sex remain at the natal site to help rear subsequent offspring, the sex ratio is biased towards the helping sex, as seen in the Seychelles Warbler (Komdeur et al., 1997); see also (Griffin and West, 2003; Griffin et al., 2005). In contrast, when the production of one sex increases competition for local resources, this can have a detrimental affect on the fitness of related competitors of the same sex; this is known as local resource competition (LRC), and favour biased sex allocation towards the less-competing sex (Clark, 1978; Bulmer and Taylor, 1980b; Taylor, 1981).
Hamilton’s (1967) local mate competition theory (LMC) - the best-studied example of LRC - relaxes Fisher’s assumption that mating occurs at random across a population and applies when a population is subdivided so that individuals compete for a discrete, ephemeral resource. Under conditions of LMC, related male offspring compete locally for mates, and these mates may be related females – in the extreme case of a single female foundress laying offspring on a patch, all competitors are brothers, and all mates, sisters. Hamilton’s (1967) LMC theory makes two predictions with regards to sex ratio: first, that under LMC a female-biased offspring sex ratio is favoured; and second, that the extent of sex ratio bias will be proportional to the level of LMC, shifting in the direction of an equal sex ratio as foundress number increases (relatedness decreases). The ESS sex ratio \( r \) for a female to produce under LMC with \( N \) foundresses on a patch is predicted by:

\[
r = \frac{N-1}{2N}
\]  

(equation 1.1)

Taylor (1981) showed that a female-biased sex ratio is favoured under conditions of LMC for two reasons. First, by producing a higher proportion of daughters, a foundress maximises the number of mates available to her sons. Second, by producing a lower number of sons, a foundress minimises competition between sons for mates (Taylor, 1981). When a single foundress produces offspring on a patch, equation 1 predicts that \( s = 0 \); this is interpreted to mean that a female is expected to produce the maximum number of daughters possible, and the minimum number of sons required to fertilise them (Hamilton, 1967a).

**1.3.3 LMC & inbreeding in haplodiploids – Mummy’s girls?**

In haplodiploids, there is another, additional effect of LMC due to inbreeding (Frank, 1985; Herre, 1985). With haplodiploid sex determination a mother produces daughters from fertilised (diploid) eggs, and sons from unfertilised eggs (haploid) (Cook, 1993). If a female mates with a related male this mate will pass shared genes to female offspring, making a mother more related to her daughter under inbreeding. In contrast, male offspring will only receive gene copies from their mother, and so
inbreeding has no effect on the relatedness of a mother to her sons. Therefore, with inbreeding, a mother is relatively more related to her daughters than her sons. This favours an additional female-bias in offspring sex ratio beyond LMC predictions (Hamilton, 1972; 1979; Frank, 1985; 1986b; Herre, 1985; West, 2009). The ESS sex ratio ($r$, proportion male offspring) under LMC for haplodiploids is predicted by the following, modified, equation:

$$r = \frac{(N-1)(2N-1)}{N(4N-1)}$$

(equation 1.2)

The sex ratio pattern predicted by LMC theory for both diploids and haplodiploids, across a range of foundress numbers is shown in figure 1.1.

**Figure 1.1:** LMC curve illustrating the predictions for optimal sex ratio under LMC for diploid (black line) and haplodiploid (grey line) species.

### 1.3.4 Extensions of basic LMC Theory

Hamilton’s original model of LMC has since been extended in many ways, to describe specific biological examples. For instance, LMC has been modelled for cases where females lay different numbers of eggs on the same patch, with
oviposition (egg-laying) either sequential (superparasitism; e.g. Werren, 1980) or simultaneous (Frank, 1985; 1986b). One specific extension of LMC models for sequential oviposition considers asymmetrical LMC (I test an example of this type of model for the sex ratio in Melittobia; chapter 2). Here, a male’s mating success varies with the brood he’s laid, and different males experience different (asymmetric) levels of LMC (e.g. Abe et al., 2003b; 2005; Shuker et al., 2005). For instance, early emerging males may have a mating advantage compared to later emerging males; this asymmetry will be more pronounced if early emergence confers a competitive advantage in male-male competition, such as an advantage in attack, or greater size (e.g. in Melittobia: Abe et al., 2003a; 2003b; 2005; Innocent et al., 2007). With asymmetry in the level of LMC, the fitness returns of laying males diminish with successive broods; this selects for superparasitising foundresses to lay more female-biased sex ratios than predicted by sequential LMC models – and in the extreme case, can favour little or no sex ratio adjustment (Abe et al., 2003a; 2003b; 2007; Innocent et al., 2007).

A second alternative scenario relevant to sex allocation in Melittobia occurs when multiple females oviposit on a patch, but the females are themselves related (see chapter 3). These models assume that female dispersal is limited, increasing the relatedness between co-founding females (which produce the same sex ratio for a given foundress number) (West, 2009). The general prediction here is that foundresses will lay a more female biased sex ratio than predicted by LMC (Bulmer, 1986; Frank, 1985; 1986b; 1998). A female-biased sex ratio is favoured in this case because multiple, highly-related female foundresses on a patch is more similar to a single foundress scenario, as increasing foundress number corresponds to little variation in average relatedness in this instance (Frank, 1985; 1986b). Thus, producing few sons minimises competition for mates between all male relatives, and producing many daughters maximises the number of mates available to them (Frank, 1985; 1986b; Taylor, 1981).

1.3.5 Empirical tests of LMC
LMC theory is particularly well developed and has been thoroughly tested empirically, with wide-ranging support from a variety of taxa (Charnov, 1982; West et al., 2005; West, 2009). Precise theoretical predictions can be made, and these have been tested most comprehensively using the parasitoid wasp *Nasonia vitripennis*, providing strong qualitative and quantitative support (Werren, 1980; 1983). First, the empirical data shows that under high levels of inbreeding the offspring sex ratio is extremely female biased (Werren, 1980; 1983). Second, the sex ratio in *N. vitripennis* is adjusted according to the number of foundresses, with a shift towards an equal (unbiased) sex ratio with increasing foundress number (Werren, 1980; 1983). Recent studies have also found a similar pattern of sex ratio variation with variation in foundress number in natural populations of *N. vitripennis* (Burton-Chellew et al., 2008; Grillenberger et al., 2008). More general tests of LMC in a range of taxa from flowering plants to malaria parasites qualitatively support the prediction that the average sex ratio should correspond to the intensity of LMC in populations (West et al., 2005; West, 2009). Support has also been found, in some cases, for facultative adjustment of sex ratio across species or populations with variation in the level of LMC. For instance, fig wasp species that experience greater variation in foundress number in natural populations (stronger selection for sex ratio adjustment), show greater facultative sex ratio adjustment; and species meet the predictions of LMC most closely for the foundress number(s) encountered most frequently (Herre, 1985; 1987; West and Herre, 1998b).

More generally, as sex allocation is a particularly well-understood area of evolutionary biology with strong empirical support, examples where sex allocation does not meet the predictions of LMC pose a problem, and need to be explained. The unusual pattern of sex ratio in *Melittobia* species is a striking exception: females produce an extremely female-biased sex ratio, which is adjusted little in response to variation in foundress number (Abe et al., 2003b; 2005; Cooperband et al., 2003; Innocent et al., 2007). The possible explanation for this unusual pattern is one of the central themes of this thesis (chapters 2, 3 and 6).
1.4 Dispersion

1.4.1 Dispersion as a social trait

Hamilton and May (Hamilton and May, 1977) first demonstrated theoretically that, when related individuals compete locally for a resource, dispersal can be considered a social trait. This is because dispersal will reduce competition between relatives, and increase the direct fitness of relatives (and the indirect fitness of the disperser), despite any direct cost to the disperser; it can therefore be considered a cooperative, potentially altruistic trait (Hamilton and May, 1977; West et al., 2007b). Extensions of this model (Comins et al., 1980; Comins, 1982) considered the effect of variation in foundress number, and therefore variation in relatedness on a patch, as average relatedness will decrease with increasing foundress number. In combination, this theoretical work predicts that selection for a higher level of dispersal will occur when a greater number of offspring are competing (for a resource), or when offspring are more highly related (as a result of being produced by a lower number of mothers), or both (Comins et al., 1980; Comins, 1982; Hamilton and May, 1977).

Hamilton and May’s original model has subsequently been extended prolifically, in an attempt to consider more biologically realistic scenarios. The effect of inbreeding, population size, population structure, age structure, dispersal rate and distance, have all been considered (Bulmer and Taylor, 1980a; Comins et al., 1980; Comins, 1982; Frank, 1986a; 1998; Taylor, 1988; 1994; Crespi and Taylor, 1990; Taylor and Frank, 1996; Gandon, 1999; Gandon and Michalakis, 1999; Gandon and Rousset, 1999; Irwin and Taylor, 2000; Leturque and Rousset, 2002; 2003; 2004; Motro, 1982a; 1982b; 1991; Ronce et al., 2000; Rousset and Billiard, 2000; Rousset and Gandon, 2002; Wild and Taylor, 2004; Roze and Rousset, 2005; Wild et al., 2006).
1.4.2 Dispersal and sex ratio

A parallel can be drawn between the evolutionary processes leading to the evolution of dispersal, and of sex ratio, as both are influenced by competition between relatives (Bulmer and Taylor, 1980a; Frank, 1998; Leturque and Rousset, 2003; 2004; Motro, 1991; Taylor, 1994; Perrin and Mazalov, 2000; Rousset and Billiard, 2000; Wild and Taylor, 2004). Predictions can therefore be made for the combined effects of sex ratio and dispersal when individuals compete locally for resources (Hamilton, 1967a; Bulmer and Taylor, 1980a; Taylor, 1981; West, 2009). When one sex disperses less, relatives of this sex experience a greater level of competition, and so a sex ratio bias towards the more-dispersing sex is favoured (Hamilton, 1967a; Bulmer and Taylor, 1980a; Taylor, 1981). Similarly, when the sex ratio is biased towards one sex, a higher level of dispersal in that sex is favoured to reduce competition between relatives of the same sex (e.g. Taylor, 1981; Wild and Taylor, 2004). Overall, increasing foundress number predicts lower average relatedness between competing individuals, and therefore favours both less female biased sex ratios (Hamilton, 1967a; Taylor, 1981), and lower rates of dispersal (Hamilton and May, 1977; Comins et al., 1980; Comins, 1982).
Chapter 2  Lethal combat and sex ratio evolution in a parasitoid wasp


2.1  Introduction

Hamilton (1967a) showed that when the offspring of one or a small number of females mate within the natal patch, prior to dispersal by females, a female biased sex ratio is favoured (Local Mate Competition, LMC). The explanation for this bias can be described equally well through an individual (inclusive fitness) or a hierarchical (group) selection approach (Colwell, 1981; Taylor, 1981; Harvey et al., 1985; Frank, 1986c; 1998; West et al., 2007b). The inclusive fitness approach suggests that the female bias is favoured in order to: (a) decrease competition between sons, and (b) increase the number of mates available to them (Taylor, 1981). In haplodiploids an additional bias is favoured because inbreeding increases the relative relatedness of mothers to their daughters (Hamilton, 1972; Frank, 1985; Herre, 1985). LMC theory predicts that in haplodiploids, the evolutionary stable (ES) sex ratio \( r \) (proportion male) is given by the equation

\[
    r = (N-1)(2N-1)/N(4N-1),
\]

where \( N \) is the number of foundress females laying on the patch. There has been widespread support for this prediction, with female biased sex ratios being observed in a huge number of plant and animal species where LMC is likely to occur (Charnov, 1982). Furthermore, individuals of over sixty species, from a range of taxa, have been shown to adjust their sex ratio conditionally, in response to the number of females laying eggs on a patch (West et al., 2005).

In stark contrast, species of the parasitoid wasp genus *Melittobia* do not appear to shift sex ratio in accordance with LMC predictions (Abe et al., 2003b; 2005;
Melittobia species have a life history that meets the conditions where LMC is expected: competition for mates occurs between brothers, in order to gain mating opportunities with their sisters, and females disperse after mating (see methods section for a more detailed life history description). As expected from this, Melittobia species have extremely female biased average sex ratios, and were given as an example by Hamilton (1967), in his original LMC paper. However, recent studies on M. australica and M. digitata have shown that females fail to shift their offspring sex ratio with increasing foundress number as predicted by LMC theory (Abe et al., 2003b; Cooperband et al., 2003; see also Molumby, 1996). It has been suggested that a possible explanation for this relative lack of a shift in sex ratio is that males fight fatally, in order to gain mating opportunities (Abe et al., 2003a; 2003b; 2005). Theory has shown that if two females lay eggs on a patch sequentially, and males laid by the second female have a reduced mating success, then the second female can be selected to produce an extremely female biased sex ratio, in contrast to the predictions of classic LMC (Abe et al., 2003a; Shuker et al., 2005). The idea here is that the fitness gain from later laid males is reduced because they may be killed without any mating success. Support for this idea has been obtained from the observation that later emerging males tend to be killed by older, previously emerged males (Dahms, 1984; Gonzalez et al., 2004c; Abe et al., 2005).

However, another factor that can influence fights between males is body size. Larger males are more likely to win fights in Melittobia (Hartley and Matthews, 2003; Reece et al., 2007), as is the case in many animals, ranging from other insects (e.g. Murray, 1987; Greeff and Ferguson, 1999; Hartley and Matthews, 2003; Taylor and Jackson, 2003; Batchelor et al., 2005; Cook and Bean, 2006) to mammals (Clutton-Brock and Albon, 1979; Haley et al., 1994; McElligott et al., 2001; Preston et al., 2003; Lidgard et al., 2005). If this effect of size in Melittobia reduces or overrides the influence of emergence order, then fatal fighting will have a reduced influence on sex ratio evolution. In this situation we would predict an interaction between size and emergence order – for instance, emergence order may vary in importance as the asymmetry in the size of opponents changes. Furthermore, there may be an important distinction to be made between emergence order and age. Emerging early could be
advantageous if males gained an advantage because males are relatively defenceless before or during emergence, or if there is a period before cuticle sclerotisation occurs (Abe et al., 2005). Consequently, any advantage of emergence order may only be transient, and age itself may not be important once all males have emerged.

Here, I aim to test the potential importance of fatal fighting in restricting sex ratio shifts in Melittobia. In the methods section I provide a more detailed description of the natural history of wasps from this genus, emphasising similarities and differences relative to more familiar LMC model systems. The sex ratio behaviour of the species (M. acasta) I am working with has yet to be examined, so I first manipulated foundress number, to show that females of this species also fail to adjust their offspring sex ratios as predicted by LMC theory. I also manipulated the time that females were allowed to spend ovipositing, as this influences the number of eggs that a female can lay, which has been shown to influence offspring sex ratios in several parasitoid wasps (Godfray, 1994). I then carried out a series of experiments in which I examine the importance of both emergence order and age, and how these factors interact with size to influence male fighting success. I first control size and focus on emergence order, placing pairs of males who have emerged from their pupal cases with males who have not, to test the idea that emerged males have an advantage in combat because they kill other males either before, during or just after emergence. I then extend this scenario to include variation in size, to examine whether or not size advantage can overcome the potential gain from early emergence. Finally, I investigate the effect of emergence order beyond the time of emergence (age), to assess how the relationship with size (competitive ability) changes through the period of combat.
2.2 Methods

2.2.1 Natural history of the *Melittobia* genus

*Melittobia acasta* (Hymenoptera: Eulophid) is a gregarious ectoparasitoid wasp, with an exceptionally wide host range that includes Diptera and Lepidoptera, along with other Hymenoptera (Balfour Browne, 1922; Freeman, 1977; Van den Assem et al., 1980; Dahms, 1984; Gonzalez et al., 2004c). *Melittobia* species exhibit pronounced sexual dimorphism. Males are blind with reduced wings, and remain within the natal patch to compete for mating opportunities. Eclosing before females, males will fight to the death using their mandibles to attack and remove opponents’ heads and limbs (e.g. Dahms, 1984; Gonzalez et al., 2004c). The male(s) remaining alive will then mate females within the natal host pupa as they emerge. In contrast, females have fully functioning eyes and wings, and will disperse after mating to find new patches of hosts. Females are typically able to lay large clutch sizes (~200 per host) and, since *M. acasta* is haplodiploid, females can adjust (offspring) sex ratio, producing daughters from fertilised and sons from unfertilised eggs. Virgin females have been observed to lay a small first clutch of males, and mate with one of these sons upon emergence, in order to lay a larger second clutch containing females (Balfour Browne, 1922; Dahms, 1984).

Available data suggest that the natural histories of species in the *Melittobia* genus are very similar (e.g. Van den Assem et al., 1980; Gonzalez et al., 2004a; 2004c). Female biased sex ratios have been reported from field studies, suggesting that a lack of sex ratio shift in the lab is representative of natural conditions (Van den Assem et al., 1980; Gonzalez et al., 2004a; Gonzalez et al., 2004c). Data suggests that foundress number is variable in natural populations, and is influenced by host size and density in a number of *Melittobia* species (*M. hawaiensis*: Freeman and Ittyeipe, 1976; Freeman, 1977; *M. japonica, M. acasta*: Van den Assem et al., 1980; *M. femorata*: Molumby, 1996; Cooperband et al., 2003). Two female morphs are found, a long-winged dispersing and a short-winged non-dispersing morph, of varying
proportion between broods (\textit{M. chalybii}: Schmieder, 1933; \textit{M. australica}: Freeman and Ittyeipe, 1976; Freeman and Ittyeipe, 1982; Dahms, 1984; \textit{M. digitata}: Consoli and Vinson, 2002a; Cooperband, 2003; \textit{M. clavicornis}: Gonzalez et al., 2004a). The amount of dispersal relates to resource availability, which is known to vary across the host range, thus providing further (indirect) evidence of variation in foundress number.

Natural variation in male size has not yet been measured, however, all published data lies within the range I have found in the stock population (Balfour Browne, 1922; Hartley and Matthews, 2003; Gonzalez et al., 2004c). Furthermore, size is known to depend upon clutch size and host quality (Consoli and Vinson, 2002a). Consequently, as \textit{Melittobia} species have an extremely wide host range (Balfour Browne, 1922; Freeman, 1977; Van den Assem et al., 1980; Dahms, 1984; Gonzalez et al., 2004c) male size is likely to vary in natural populations. The male emergence period can be relatively prolonged – 16 days at 25°C for \textit{M. australica} (Abe et al., 2005). Furthermore, staggered emergence and overlapping generations of males are likely, given the possibility of multi-foundress scenarios, and the potential for non-dispersing female offspring to superparasitise large hosts (Schmieder, 1933; Freeman and Ittyeipe, 1976; Cooperband et al., 2003). Males are highly aggressive and will start fighting almost immediately upon emergence, with the majority of fights occurring before the first females start to emerge (Buckell, 1928; Van den Assem et al., 1980; Gonzalez et al., 2004c; Abe et al., 2005). Adult males will attack emerging pupal males, will almost always fight when encountering each other, and these violent encounters often lead to the death of at least one male (\textit{M. acasta}: Balfour Browne, 1922; Dahms, 1984; \textit{M. digitata}, \textit{M. australica}: Abe et al., 2003b; 2005; Buckell, 1928; Gonzalez et al., 2004c).

### 2.2.2 General methods

For all experiments I used wasps from our UK stock population, established from wasps collected in the field in 2004 (by Mark Shaw, Royal Museum of Scotland, Edinburgh), and subsequently (mass) cultured in the lab on \textit{Calliphora vomita} pupae.
All wasps were reared at 30°C, with a 16L: 8D photoperiod. Under these conditions generation time is 11-13 days for males, with females emerging 1-2 days later. For each generation I placed groups of approximately 100 females in 70 x 25 mm glass vials stoppered with cotton wool, containing ~ 20 host pupae for oviposition (0-200 offspring laid per host).

In order to produce the large numbers of males required for experimental work, I cultured virgin females taken from stock populations: thanks to the haplodiploid genetic system, virgins are limited to laying sons, and thus produce all-male clutches (Cook, 1993). I opened up hosts 10 days post oviposition and removed virgin female pupae, grouping and housing them with fresh hosts according to each experimental treatment (see below). After 6-8 days I was able to dissect male pupae from these hosts, which I isolated in gelatin capsules (volume =0.21ml, similar dimensions to C. vomita pupae) before emergence, to prevent fighting prior to the experiment.

2.2.3 Experiment 1: sex ratio adjustment and LMC

I first tested the predictions of LMC theory by manipulating the number of foundress females that are able to lay eggs (oviposit) on a single host, and thus the degree of local mate competition (LMC) experienced by offspring. Specifically, I set up 20 replicates within each of 5 levels of foundress number treatment: 1, 3, 10, 25 and 50 females (i.e. total sample size equals 100). I also manipulated the time females were allowed to oviposit upon hosts. Within each foundress treatment level, I allowed the females in 10 replicates to oviposit for 24 hours, and 10 replicates for 48 hours. Mated adult females were (randomly) chosen from stock populations approximately 24-48 hours after emergence, and randomly assigned to treatment levels. All replicates were placed in stoppered glass vials with a single C. vomita host. After either 24 or 48 hours I removed females and returned the host pupae to the vials, which I kept at 30 C until offspring emergence. I then opened each host pupa, and sexed and counted all (adult) offspring to calculate mean brood size and sex ratio.
2.2.4  Experiment 2: Size, age & fighting ability in males

I carried out three experiments to test how male fighting ability was influenced by male size, age, and their interaction. I have previously shown that relatively larger males have a higher probability of winning contests (Reece et al., 2007). Here I examine: (i) the importance of emergence order (i.e. emerged males versus unemerged males); (ii) the interaction between emergence order and size (a measure of fighting ability); and (iii) the effect of age beyond 24 hours and its relative importance compared to variation in size.

2.2.4.1  Experiment 2a: importance of emergence order

In this experiment I investigated the effect of emergence order upon the fighting success of males, using one-on-one arena experiments. I placed pairs of males from the same ‘size treatment’ (see experiment 2b) within gelatin capsules (volume=0.21ml). Each pair consisted of one adult male, emerged within the preceding 24 hour period; and one pupal male, due to emerge within the subsequent 24 hour period. In order to generate males emerging at 24-hour intervals I set up groups of virgin females every day for 18 days, so that their offspring emerged at 1 day intervals for 18 days.

I generated two size classes of male, large and small. To create males of different sizes I manipulated the number of hosts in a patch upon which groups of females were laying eggs, in order to vary the density of males developing within hosts. I manipulate host number rather than foundress number because virgin females are unlikely to oviposit if alone (Cooperband et al., 2003). I randomly assigned groups of 60 virgin females to treatments, and gave them either 1 or 40 hosts - for large and small treatments respectively. Males from the high male density treatment (high number of foundresses per host) had significantly larger body length ($F_1=4.04$, $P<0.05$ ) and head width ($F_1=8.74$, $P=0.004$). After 8 hours females were removed, and hosts incubated for 6-8 days. At this stage I opened hosts, dissected male pupae
and isolated them in gelatin capsules (see above). I then took a random sample of pupae from each size class, photographed them using a Leica dissecting microscope, and used Leica IM50 software to take measurements of head width and body length.

For the purpose of identification I marked adult males on their abdomen with coloured glass paint, before placing them into capsules with pupae. I checked each pair every 24 hours and recorded the date of pupal emergence, the identity of the winner and loser (where loser is defined as the first to die), and the longevity of both males. I discounted any replicates where there was no clear winner (i.e. neither male was dead) within 24 hours after the date of pupal emergence, as contestants were no longer considered to be emerging beyond this point.

### 2.2.4.2 Experiment 2b: importance of emergence order and size

In this experiment I wanted to examine the relative importance of emergence order and size upon contest outcome. I created different sized males as described in experiment 2a, but then incorporated the 2 size classes in a fully factored design to include the asymmetric pairings (i.e. large versus small, small versus large). All pairs were composed of one adult male and one pupal male, giving the following fight combinations: large adult vs. large pupa; large adult vs. small pupa; small adult vs. small pupa; small adult vs. large pupa. Once again I checked each pair every 24 hours and recorded the date of pupal emergence, the identity of the winner and loser (where loser is defined as the first to die), and the longevity of both males.

### 2.2.4.3 Experiment 2c: Size vs Age

I experimentally manipulated both the age and the size of male opponents within contests to examine the relative importance of these factors upon fighting success. The key difference between this and the previous experiment is that in this case I examined the effect of age beyond the 24-hour window around emergence.
I used size treatments as described above in 2b, and also created three age classes of male (young, middle-aged and old). To generate males of different age classes within size treatments, I staggered the hosting of groups of virgin females by one-day intervals. I set up groups of virgin females for each size treatment as described above, every 24 hours, for 18 days. I limited females to an 8-hour oviposition period in order to minimise overlap in the age of males from successive days. I was able to collect male pupae after 6-8 days, and then each day for an 18-day period, recording the date of emergence (and thus age) of every cohort. Experimental age classes were determined by preliminary work (unpublished data), based upon the longevities of a sample of 50 virgin males isolated in gelatin capsules and incubated at 30 C. I categorised males as ‘Young’ on the day they emerged (0-24 hours); ‘Middle aged’ 4 days after emergence (72-96 hours); and ‘Old’ 7 days after emergence (144-168 hours).

I placed two adult males into a gelatin capsule (volume=0.21ml), marked with gold or pink glass paint for identification. I randomly allocated males to pairs, using a fully factored design to set up all possible age-size combinations resulting from our 2 size classes and 3 age classes: large and small males considered ‘young’ ‘middle-aged’ or ‘old’, against both large and small males from all age categories. I also cross-factored paint colour marking (gold or pink) with all size and age treatment combinations. I checked all arenas every 24 hours, and recorded the identity and longevity of both the winning and losing male (as defined by order of death). I also set up controls from both size classes, placing individual males in capsules and recording longevity.

2.2.5 Statistical analysis

For maximum power when analysing proportion data, analyses should assume binomial errors and use a logit link function - as proportion data often have non-normally distributed error variance and unequal sample sizes (Crawley, 1993; Pickering et al., 2000). In this case, analyses using generalised linear models are simplified using analyses of deviance, in which changes in deviance are compared to
a Chi Squared distribution. However, proportion data can be overdispersed (residual deviance > residual degrees of freedom), and this can lead to overestimation of significance. If the dispersion parameter (heterogeneity factor; HF) is < 4, data can be scaled and F tests used to assess significance (Crawley, 2002). I carried out the analyses using R (R: Copyright 2005, The R Foundation for Statistical Computing, Version 2.1.0). I used binomial errors and Chi Squared distributions as, in all cases, HFs were < 1. Non-proportion data conformed to assumptions of GLM analyses using normal error distributions. I used the probability of the focal male winning the contest (P(winning)) as the GLM response variable, making it possible to fit size and age data as explanatory variables (Hardy and Field, 1998). I tested whether the offspring sex ratios produced by females showed less than binomial variation using the regression method developed by Green et al. (Green et al., 1982) and described in further detail by West & Herre (West and Herre, 1998b).

2.3 Results

2.3.1 Experiment 1: sex ratio adjustment and LMC

There was a significant increase in sex ratio with increasing foundress number ($\chi^2_4 = 13.60, P=0.0001$; Figure 2.1). Treatments of 3, 10, 25 and 50 foundresses do not have significantly different sex ratios from one another but do have significantly less female biased sex ratios than the single foundress treatment (treatment contrasts: $P > 0.05$ for all comparisons of 3, 10, 25, 50 foundresses and $P < 0.05$ for single foundress compared to multifoundress treatments). However, this effect represents a very slight shift in sex ratio of 3% (treatments mean ± se for single foundresses = 0.036 ±0.008; -0.007 and multifoundresses = 0.069 ±0.015; -0.012). The sex ratio was significantly lower when females were given 48hrs to oviposit compared to 24hrs ($\chi^2_1 = 14.90, P=0.009$; mean difference = 3.8% ± 0.3; Figure 2.1). However, at 25 foundresses, the effect of time was not significant, resulting in a significant interaction ($\chi^2_4 = 10.62; P = 0.031$) between foundress number and oviposition duration.
The sex ratios produced by females when ovipositing alone showed significantly less than binomial variation (termed precise sex ratios). I calculated the ratio of observed variance in the sex ratio versus that compared with that expected given a binomial (random) distribution. If the ratio of these numbers, termed the Green variance ($GV$), is significantly less than one, then this indicates that the sex ratios produced by females are precise and show less than binomial variation. I found that the variation in the offspring sex ratio was significantly less than binomial for both the 24 hour ($GV=0.21; \chi^2 = 1.49; P=0.02; n=9$) and 48 hour ($GV=0.07; \chi^2 = 0.52; P=0.0006; n=9$) oviposition periods.
2.3.2 Experiment 2: Size, age & fighting ability in males

2.3.2.1 Experiment 2a: Importance of emergence order

Out of a total of 80 fights, 37 had a clear winner after 24 hours, therefore only these fights were considered in the analysis. Amongst these, emergence order had a highly significant effect on the likelihood of winning a fight, with 92% (34 of 37) of fights won by the male that was already emerged ($\chi^2_1 = 26.00, P < 0.001$; Figure 2.2a).

Figure 2.1: Mean brood sex ratios (proportion male) for each foundress number treatment when females are given either 24hrs (open symbols) or 48hrs (closed symbols) to oviposit. Note that in all cases of multi foundress treatments, observed sex ratios are lower than that predicted by LMC theory (solid line). The bars show asymmetric standard errors.
2.3.2.2 Experiment 2b: Importance of emergence order and size

Out of a total of 144 fights, 52 had a clear winner after 24 hours, therefore only these were considered in the analysis. Once again, emergence order had a significant effect on the likelihood of the emerged adult male winning when fighting a smaller or size-matched opponent (93-100% of fights won by the adult male in: Large adult vs. Small pupa; Large adult vs. Large pupa; and Small adult vs. Small pupa; Figure 2.2b). In the fourth group, where the size asymmetry favoured the pupal male, the effect of emergence order on the probability of winning was significantly less than expected. The probability of the emerged adult male winning in the Small adult vs. Large pupa treatment was significantly lower than all other treatments ($\chi^2 = 12.96$, $P = 0.005$; Figure 2.2b). This shows an interaction between size and emergence, where emerged males have a clear competitive advantage over emerging males, but only when fighting same-sized or smaller opponents.
Figure 2.2: a) Proportion of fights won by emerged adult and emerging pupal males, when fighting a size-matched opponent. b) Proportion of fights won by the already emerged adult male in each of the four fight combinations, where La = Large adult, Lp = Large pupa, Sa = Small adult, and Sp = Small pupa.
2.3.2.3 Experiment 2c: Size vs Age Experiment

Experimental males had significantly shorter longevity than control males ($F_{1,367}=379.80$, $P<0.0001$), suggesting a cost of fighting. Identification colour had no effect upon either longevity ($F_{1,317}=0.09$, $P>0.05$) or the probability of winning ($\chi^2_{1}=0.53$, $P>0.05$); I therefore chose to use gold males as our focal males for further analyses.

When fitting the size and age of the focal male, irrespective of their opponent’s characteristics, large males are significantly more likely to win contests ($\chi^2_{1}=23.88$, $P<0.0001$) but there was no effect of the absolute age of the focal male. Large focal males won 27% more contests than small focal males.

When the relative difference in size and age between the focal male and his opponent are considered, relatively larger males have a significantly higher probability of winning contests ($\chi^2_{2}=52.97$, $P<0.0001$; Figure 2.3). Fight outcome was only influenced by relative age when the opponents were the same age: in this case the advantage of being large is reduced but there is still a disadvantage of being smaller ($\chi^2_{8}=18.87$, $P=0.02$).
Figure 2.3: Proportion of fights won by focal males plotted against the age of focal males relative to their opponents. Shading represents the size of focal males relative to their opponents: smaller (unshaded bars); same size class (light grey); larger (dark grey).

2.4 Discussion

I have shown that average sex ratios in M. acasta are extremely female biased (9% male) and shift only marginally in response to foundress number (Figure 2.1). In addition, when ovipositing alone, females produce precise sex ratios with less than binomial variation, as is expected and observed in species with LMC (Green et al., 1982; Hardy, 1992; Hardy and Cook, 1995; Lopez-Vaamonde et al., 2005; Morgan and Cook, 1994; West and Herre, 1998b). Amongst fighting males, I have shown that asymmetry in emergence order of opponent’s leads to a significant competitive advantage for early emerging adult males: these males are better able to attack emerging males during, or immediately after emergence (Figure 2.2a). Nonetheless, this advantage is mediated by the relative size of opponents – if the later emerging male is larger then this can override their opponent’s advantage from early
emergence (Figure 2.2b). Furthermore, beyond a critical window of emergence (~24 hours), age is less important, and size is the major determinant of fighting success (Figure 2.3). Abe et al. (Abe et al., 2003a) suggest that fatal fighting can explain female-biased sex ratios if we assume that the early emerging male has a very large advantage compared to later emerging males, such that early emerging males have approximately 100% survival, and later males have approximately 5% survival relative to early emerging males. My experimental results suggest that the advantage to earlier laid males in fatal fights may not be sufficiently strong to explain the lack of sex ratio shift in *M. acasta* (Figure 2.1).

Our contest data suggest that the probability of winning a fight can be divided in to two parts: that resulting from emergence order, and that concerning the time beyond the emergence period. Emerged adult males are able to kill emerging males (Figures 2.2a & 2.2b), and behavioural observations suggest that this advantage may be due to attacking before emergence is complete. After this critical period any advantage of emergence order is reduced, and size becomes the key factor: large males have a considerable competitive advantage (Figure 2.3). If slower development allows larger body size, this raises a series of questions about how the success associated with earlier emergence is traded off against body size. More generally, the importance of size can be context dependant as, for instance, competitor density is known to influence both the frequency and severity of contests (Griffin and West, 2002; Murray, 1987; Murray and Gerrard, 1984; 1985; Reece et al., 2007; Reinhold, 2003; West et al., 2001), and opponent assessment is predicted to decrease contest frequency (Enquist and Leimar, 1983; Gammell and Hardy, 2003; Leimar and Enquist, 1984; Reinhold, 2003). However, in *M. acasta* there is no evidence of opponent assessment, suggesting that all males will fight in any contest regardless of opponent because of the high stakes involved (Reece et al., 2007). This is likely to be due to the large current value of the reward in comparison to its future value (Enquist and Leimar, 1983; 1987; 1990; Maynard-Smith and Price, 1973). For *Melittobia*, this explanation applies to both competitors in a fight, as all males are expected to emerge (and fight) before any of them get to mate (Balfour Browne, 1922; Dahms, 1984): this is not simply an explanation for early male advantage, but a potential
reason why any male should ever fight. Consequently, size is likely to be considered very important in determining male fitness.

Although I found a statistically significant shift in sex ratio with the number of females laying eggs on a patch, this shift is much smaller than predicted by LMC theory. For example, the predicted sex ratio for the 50 foundress treatment = 0.49, whereas the observed sex ratio is 0.08 (Hamilton, 1967a; 1972). In addition I observed that the 24-hour treatment had a significantly higher sex ratio than the 48-hour treatment, for all foundress numbers. A possible explanation for this may be the laying order of sons and daughters: this sex ratio pattern would occur if females chose to lay sons at the beginning of the oviposition period, and then daughters as time went on (Van den Assem et al., 1980). Since I have shown that earlier emerging *M. acasta* males have a greater chance of winning fights, laying sons first would maximise their chance of success. Moreover, the fact that I have observed significantly less than binomial variation in offspring sex ratios shows that females can choose with precision when to produce sons.

Does lethal male combat provide a reasonable explanation for the relative lack of sex ratio adjustment observed in *M. acasta* and other *Melittobia* species (Abe et al., 2003a; 2003b; 2005)? I have shown that earlier emerging males are able to kill later emerging males (Figure 2.2), as was also shown previously for *M. australica* (Abe et al., 2005). However, in order to completely explain the lack of conditional sex ratio, the advantage to early emerging males has to be very large (see above). Our results suggest two reasons why this may not be the case: (a) this age advantage only exists for a brief critical window around the time that the later emerging male is emerging (Figure 2.3), and (b) variation in male size can reduce this advantage (Figure 2.2b). Our data therefore suggests that whilst there is a possible role for lethal male combat in sex allocation (Abe et al., 2003a; 2005), it cannot fully explain the sex ratio pattern in *M. acasta*. Furthermore, the life history of this species suggests that brood emergence can take place over a relatively lengthy time, which is longer than male longevity (Abe et al., 2005; Buckell, 1928; Dahms, 1984; Gonzalez et al., 2004c). This means that even when females arrive sequentially on a patch, there can still be
considerable overlap in the timing of when their broods emerge, blurring the distinction between early and late emerging males (Abe et al., 2005; Gonzalez et al., 2004c; Van den Assem et al., 1980). In this case, the pattern of emergence and fighting may show some similarity to fig wasps, where conditional sex ratio adjustment has been documented numerous times (Frank, 1985; Herre, 1985; 1987; Herre et al., 1997; 2001; Kinoshita et al., 2002; Molbo et al., 2003; Moore et al., 2002; West and Herre, 1998a). In order to further assess the importance of male combat for sex ratio adjustment, it would be extremely useful to obtain data on natural populations to complement the available data from lab cultures (see methods for summary of natural history), examining variation in male size, synchrony of male emergence period and the temporal distribution of fighting, in conjunction with data on the simultaneous variation in host size/species/quality. For example, if it were found that competition for resources led later emerging males to be smaller, then this would select against producing later males, and hence could potentially increase the likelihood of lethal combat providing an explanation for the relative lack of sex ratio adjustment.

I conclude by discussing two alternative possibilities for the lack of sex ratio adjustment in Melittobia species (Abe et al., 2003a; Abe et al., 2003b; Abe et al., 2005; Cooperband et al., 2003). One possibility is that selection for sex ratio adjustment has been too weak. If females in a natural environment only ever encounter single foundress situations, then there will be weak selection for altering sex ratio behaviour in multifoundress situations (Herre, 1987; West and Herre, 1998b). However, multiple Melittobia females often appear to lay eggs on a single host in nature (Cooperband et al., 2003; Freeman, 1977; Freeman and Ittyeipe, 1976; Molumby, 1996). A second possibility is that co-founding females are usually highly related, in which case much smaller sex ratio shifts are predicted by LMC theory (Frank, 1985; 1986b; Shuker et al., 2004a). When females are related they are also related to each other’s sons, therefore a more female biased sex ratio is favoured to reduce competition between males and provide more mates for them (Frank, 1986b). The natural history of Melittobia species, and the presence of a non-dispersing female morph suggest that co-foundresses will often be highly related (Consoli and
Vinson, 2002a; Cooperband et al., 2003; Dahms, 1984; Freeman and Ittyeipe, 1976; 1982; Gonzalez et al., 2004a; Schmieder, 1933; Van den Assem et al., 1980). Study of natural populations will be necessary to fully understand the frequency of multi-foundress scenarios, the relatedness between these foundress females, and the natural variation in the occurrence of the two female morphs. Furthermore, competition between related females could select for less female biased sex ratios, highlighting the need for specific theory that takes life history details into account (Bulmer, 1986; Courteau and Lessard, 2000; Frank, 1985; 1986b; Taylor and Crespi, 1994; West et al., 2002). This also raises the possibility that we would expect different patterns of sex ratio adjustment between dispersing and non-dispersing females (Taylor and Crespi, 1994).
Chapter 3  Competition between relatives and the evolution of dispersal

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3.1 Introduction

Dispersal is a ubiquitous feature of natural populations, with important consequences for individual fitness and population dynamics (Bowler and Benton, 2005; Roff and Fairbairn, 1991; Ronce, 2007). By enabling the movement of individuals within their environment, dispersal allows organisms to exploit new resources and habitats, but doing so can be costly and involve high risk. For instance, the capacity for flight is energetically costly, dispersal increases the mortality risk due to predation, and there is a risk of not finding a suitable habitat. Across species, there is considerable variation in patterns of dispersal, which can encompass movement across a range of distances, the use of different dispersal mechanisms, and which can take place at various life history stages (Bowler and Benton, 2005; Ronce, 2007). Moreover, individuals vary in their ability to disperse, and likelihood of doing so – even within the same species - which may be reflected in (adaptive) morphological differences between them. For example in the cricket *Gryllus firmus*, long-winged, larger bodied females disperse whereas smaller, short-winged females do not (Roff and Fairbairn, 1991).

A wealth of evolutionary theory has highlighted three factors that can favour the evolution of dispersal: habitat quality, inbreeding, and competition between relatives. Spatiotemporal variation in habitat quality can select for dispersal because it creates uncertainty in resource availability – and in this instance, the direct benefits of dispersal can outweigh the costs (Greenwood-Lee and Taylor, 2001; Leturque and Rousset, 2002; Roff, 1986). If inbreeding depression is high, or inbreeding is
avoided, or both, then this can select for sex-specific dispersal to find unrelated mates (Gandon, 1999; Motro, 1991; Roze and Rousset, 2005). When non-dispersing individuals must compete for resources with relatives, Hamilton and May (1977) showed that dispersal can be favoured in order to reduce competition between relatives. In this case, dispersal is favoured because of its indirect fitness benefits to social partners, despite any direct costs incurred by the dispersing individual, and can be thought of as a cooperative, potentially altruistic trait (West et al., 2007b).

Here, I am concerned with how competition between relatives influences selection for dispersal. There have been numerous extensions of Hamilton and May’s (1977) original model examining more detailed realistic scenarios to predict the consequences of factors such as dispersal rate, dispersal distance, population size, population dynamics, and age-structure (Bulmer and Taylor, 1980a; Comins, 1982; Comins et al., 1980; Crespi and Taylor, 1990; Frank, 1986a; 1998; Gandon, 1999; Gandon and Michalakis, 1999; Gandon and Rousset, 1999; Irwin and Taylor, 2000; Leturque and Rousset, 2002; 2003; 2004; Motro, 1982a; 1982b; 1991; Ronce et al., 2000; Rousset and Billiard, 2000; Rousset and Gandon, 2002; Roze and Rousset, 2005; Taylor, 1988; 1994; Taylor and Frank, 1996; Wild et al., 2006; Wild and Taylor, 2004). In contrast, there is a severe lack of experimental work directed at testing these predictions; instead, most empirical work has been focused on the direct costs and benefits of dispersal, rather than the social context of dispersal evolution (Crespi and Taylor, 1990; Roff and Fairbairn, 1991; 2007; Zera and Denno, 1997).

My main aim is to test empirically a number of assumptions and predictions arising from theoretical models of dispersal evolution, with a particular focus on how dispersal can be favoured due to competition between relatives. The parasitoid wasp *Melittobia australica* exhibits both sex-specific dispersal and a within-sex dispersal dimorphism: only female offspring disperse, and amongst females there is a pronounced dispersal dimorphism between dispersing (long-wing) and non-dispersing (short-wing) females (Consoli and Vinson, 2002a; Matthews et al., 2009). Dimorphic species generally provide excellent systems for studying the evolution of dispersal because the easily identified visible morphological differences correspond
to different patterns of resource investment into key life history traits (Roff and Fairbairn, 1991; Zera and Denno, 1997). Moreover, comparing dispersing and non-dispersing individuals within the same species controls for any difference due to phylogeny. I first examine the nature of the dispersal dimorphism in *M. australica* by comparing the morphology, dispersal behaviour, and life history traits of the two female morphs. This allows me to test whether morphological differences between females are indeed associated with differences in dispersal propensity and trade-offs between the life history traits of dispersing and non-dispersing individuals.

Second, I test theoretical predictions on how competition between relatives selects for dispersal by examining whether the production of non- and dispersing morphs is adjusted in response to local conditions. Theory predicts that selection for dispersal is increased when larger numbers of offspring are competing for a given resource, and when these offspring are related (i.e. produced by a lower number of mothers; Hamilton and May, 1977). I manipulated local resource competition and relatedness by varying the time female foundresses are given for oviposition (egg-laying), and the number simultaneously ovipositing on a host. Finally, I examine the correlation between the proportion of dispersing females, and the offspring sex ratio (proportion male offspring), to test several hypotheses suggested to explain the unusual lack of facultative sex ratio adjustment in response to local mate competition observed in *Melittobia* species (see discussion).

### 3.2 Methods

#### 3.2.1 Natural history

*Melittobia australica* (Hymenoptera: Eulophidae) is a gregarious ectoparasitoid wasp and shares common natural history with other species in the *Melittobia* genus (Gonzalez et al., 2004a; Matthews et al., 2009; Van den Assem et al., 1980). *Melittobia* species are known to have an unusually wide host range, though most commonly parasitise other Hymenoptera (Balfour Browne, 1922; Cooperband and Vinson, 2000; Dahms, 1984; Freeman, 1977; Freeman and Parnell, 1973; Gonzalez
et al., 2004c; Matthews et al., 2009; Van den Assem et al., 1980). Pronounced sexual dimorphism is found across the genus. Males are blind and flightless, remaining on the natal patch to compete for local mating opportunities (Buckell, 1928; Dahms, 1984; Gonzalez et al., 2004c; Matthews et al., 2009). Mating competition is fierce: males eclose earlier than females and will fight to the death, employing their highly modified mandibles in attack to remove limbs and decapitate opponents (Abe et al., 2003b; 2005; Balfour Browne, 1922; Buckell, 1928; Dahms, 1984; see also Hamilton, 1979; Hartley and Matthews, 2003; Innocent et al., 2007; Reece et al., 2007). The males remaining alive at female eclosion will mate within the natal host. By contrast females have fully functioning eyes and wings, and can disperse. Females are able to lay large clutch sizes (200–1000+ depending on host) (e.g. Abe et al., 2005; Balfour Browne, 1922; Innocent et al., 2007; Matthews et al., 2009), and can adjust their offspring sex ratio through haplodiploid sex-determination – daughters are produced from fertilised eggs, sons from unfertilised eggs (Cook, 1993). Highly female-biased sex ratios have been reported for a number of species in the Melittobia genus, in the order of 85-95% female offspring for both natural populations and in the lab (Abe et al., 2003b; 2005; Cooperband et al., 2003; Gonzalez et al., 2004c; Innocent et al., 2007; Schmieder, 1938; Van den Assem et al., 1980). Moreover, a lack of sex ratio shift has been shown for laboratory populations of several species (Abe et al., 2003b; 2005; Cooperband et al., 2003; Innocent et al., 2007), despite evidence that foundress number varies and thus that there is variation in local mate competition (LMC) in natural populations (Cooperband et al., 2003; Dahms, 1984; Freeman and Ittyeipe, 1976; 1993; Matthews et al., 2009; Schmieder, 1933; Van den Assem et al., 1982). Previous studies have identified two distinct female morphs (Dahms, 1984; Freeman and Ittyeipe, 1976; 1982; Gonzalez and Matthews, 2008; Schmieder, 1933), and have suggested that morphological differences correlate with different patterns of dispersal and the associated life history strategies (Consoli and Vinson, 2002a; 2002b; 2004; Cooperband et al., 2003; Dahms, 1984; Freeman and Ittyeipe, 1976; 1982; Gonzalez et al., 2004a; Schmieder, 1933). However, data accurately describing the morphological differences between females are scarce, and the associated differences in life history strategies have not been formally tested (Consoli and Vinson, 2002a; Matthews et al., 2009).
3.2.2 General methods

The stock population of *M. australica* - from which I took all experimental wasps - was established from field collections made in Shiga, Japan (2000). I cultured all wasps on *Bombus terrestris* pupae (Koppert, The Netherlands) and reared them at 25°C with a 16:8 light:dark photoperiod. Development time is in the region of 14 days for males and non-dispersing females, and 14-21 days for dispersing females, under these conditions. To establish a new generation, I placed groups of approximately 50 adult females with an unparasitised, early-stage *B. terrestris* pupa in 25 x 70 mm glass vials, stoppered with cotton wool.

3.2.3 Experimental methods

3.2.3.1 General experimental methods

I carried out all experiments in two stages: the initial stage of experimental set up involved the manipulation of foundress females, and used a fully factorial design common to all experiments (Table 1); I then randomly allocated replicates to experiments to answer specific questions for the later stage (involving manipulation of offspring). A replicate consisted of the offspring generation produced by a single foundress female or group of females with a single host for oviposition. In this initial experimental design I manipulated the number of foundress females able to oviposit on a host, and simultaneously manipulated the length of time females were given for oviposition. This created variation in offspring relatedness across a range of clutch sizes, and thus generated variation in local mate competition (LMC) and local resource competition (LRC) between offspring. Specifically, I set up 40 replicates of each of 3 foundress treatment levels: groups of 1, 5, or 15 females (a total sample size of 120) and allowed females to oviposit on their host for 3- or 6-days. Overall this resulted in six treatment combinations: single females with 3- or 6-day oviposition, groups of 5 females with 3- or 6-day oviposition, and groups of 15 females with 3- or 6-day oviposition (Table 1). I used mated adult females for all six treatment combinations, which I chose at random from stock populations approximately 48 hours after emergence (to ensure mating occurred), and assigned
randomly to one of the six treatment levels. I placed all replicates in stoppered glass vials with early-stage *B. terrestris* pupae of known mass and age, and incubated them at 30°C until offspring emergence. I then randomly assigned each replicate to one of the following experiments in order to investigate 1) morphology; 2) life history and dispersal behaviour; 3) patterns of morph ratio and sex ratio. Specific methods for each of these investigations are detailed in the following sections. I ensured that all foundress by oviposition time treatment combinations were represented within each of the subsequent experiments. I did not include any replicates that failed to produce offspring, giving a total experimental sample size of 111 replicates.

<table>
<thead>
<tr>
<th>Oviposition time (days)</th>
<th>Foundress number</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>1</td>
</tr>
<tr>
<td>3</td>
<td>106 ± 29</td>
</tr>
<tr>
<td>6</td>
<td>206 ± 43</td>
</tr>
</tbody>
</table>

**Table 3.1:** Summary of mean total clutch size for all females on a host (± standard errors) for experimental treatment combinations (foundress x oviposition duration).

### 3.2.3.2 Morph characterisation

I first wanted to establish whether short-wing (SW), long-wing (LW) and intermediate (IM) female morphs existed in *M. australica*, and to characterise them. I sampled between 2 and 4 individuals of each morph class at random from each of 24 replicates, which spanned the full range of clutch size/foundress number combinations (see general methods, above). For each female sampled I a) scored the morph by eye (within 24 hours of emergence); b) photographed using an Olympus SZX10 microscope (with DP20 camera) – with measurements of abdomen and wing
length taken from these pictures; c) removed the hind-left tibia - later photographed and measured to control for body size (microscope as above; (Godfray, 1994); and d) dissected the abdomen on a glass slide and counted the number of fully developed eggs present (egg-load). I found distinct SW and LW groups, and so we tested for differences between them in key life-history traits - longevity and fecundity - along with differences in dispersal behaviour.

3.2.3.3 Longevity

In order to assess longevity, I randomly chose a single female of each morph (SW, LW) from each of 45 replicates, which were spread across initial treatment combinations. I isolated females in glass vials (10 x 75 mm) 24 hours after emergence (to allow for mating to occur, representative of natural conditions), and incubated them at 30°C. I gave females sugar solution every 3 days via small discs of filter paper, to allow more accurate discrimination of individual variation in longevity (Rivero and West, 2002). In addition, I repeated this treatment at 25 and 30 °C without sugar solution, to confirm the overall pattern of longevity. I checked all vials daily and recorded the date of death of each female, then I removed, photographed and measured the rear-left tibia in order to control for body size (as above). I recorded natal host mass for all replicates.

3.2.3.4 Fecundity

To determine fecundity, I chose 10 SW females and 10 LW females at random, each from a different replicate vial and I provided them each with an excess of host resources for oviposition. I placed each female in a stoppered glass vial with a single B. terrestris pupa of known age and mass, for eight days; eggs laid on this host were considered to be the 1st clutch. After eight days, I removed all female foundresses that remained alive, and provided each with a fresh host to lay their 2nd clutch; after the second eight-day period, I again moved females to new hosts (3rd clutch). This successfully provided a surplus of host resources, as only 39% of experimental foundresses laid any eggs on their 3rd host, laying an average of only 10 eggs. I
collected females after their 3rd period of oviposition, and removed and measured their rear-left tibias. I incubated all hosts at 30°C, and at offspring emergence I counted, sexed, removed, and (for females) scored morph of all individuals in each clutch. I found no significant correlation between host mass and total clutch size.

3.2.3.5 Dispersal behaviour

In order to estimate dispersal propensity I fitted 20 replicates - sampling the full range of treatment combinations - with a one-way dispersal hat, which enables individuals to leave the host vial, but prevents their return. This measure is used to indicate the likelihood of individuals to leave their natal patch. I collected individuals who ‘dispersed’ daily, counted and sexed them, and scored their morph. I removed individuals who remained on the natal host, counted and sexed them, and scored their morph every 4 days - in order to minimise disruption to natural dispersal behaviour.

3.2.3.6 Dispersal, sex ratio, and competition between relatives

In this experiment I investigated the production of offspring morph-ratio (proportion of long-wing females) and offspring sex ratio (proportion of males) simultaneously, varying both the number of foundresses and the extent of local competition. Females are predicted to alter the proportion of LW daughters in response to foundress number, which determines relatedness between competing offspring (Comins, 1982; Comins et al., 1980). This is analogous to the sex ratio literature where it has been shown that females adjust their sex ratio in response to foundress number (West et al., 2005) and do not use kin recognition or other direct cues of relatedness (Reece et al., 2004; Shuker et al., 2004a). I used 12-15 replicates from each initial foundress x time combination (81 replicates in total; treatments described above). These treatment combinations created variation in relatedness across a gradient of clutch sizes and therefore levels of local mate competition (LMC); this allowed me to distinguish between the effects of increasing clutch size alone, and any unrelated additional effects of high foundress number. All foundress females I used were of LW morph, mimicking the likely pattern of LW females to disperse to new hosts in
natural populations. I randomly assigned hosts across treatment levels and measured their mass. I collected foundresses after the given period of oviposition and removed, photographed and measured their rear-left tibia. I then incubated hosts were incubated at 30°C until offspring emergence. Once offspring began to emerge I inspected host’s daily and removed, counted, sexed, and scored the morph of any emerging offspring. I calculated total clutch size, female offspring morph-ratio and offspring sex ratio for each replicate. I found no significant correlation between host mass and total clutch size (see table 1: summary of clutch sizes per treatment combination).

### 3.2.4 Statistical analysis

I carried out Principal Component Analysis (PCA) on morphological measurements, including tibia length, wing length, abdomen length and egg-load as y-variables. PCA combines these morphological variables to generate a series of linear variables (principal components) which best summarise the overall variation in the data set (Quinn and Keough, 2002). In order to test the validity of our morph groupings made by eye, I then performed Discriminant Function (DF) analysis upon the resulting principle component scores, with morph classification (as assigned by eye) as the x-variable. DF analysis defines significantly different groups within the dataset, and determines how accurately individuals are assigned to the original groups by comparison between DF and original scores (Quinn and Keough, 2002).

I used linear models to test for differences between morph groups in principal components 1 and 2 (PC1 & PC2), egg-load and body size. I also tested for differences in the life-history traits fecundity and longevity, and for order effects in the timing of egg laying in this way. I calculated mean ovigeny index (OI) for SW and LW females: OI is defined as the proportion of a females’ lifetime egg complement present as mature eggs at emergence, and so I calculated the ratio of average initial egg-load (IEL) to average lifetime fecundity using data from both the morph description experiment (for egg-load), and from the life history experiment (for fecundity) (Godfray, 1994; 2004; Jervis et al., 2001; Rivero and West, 2002).
I used Generalised Linear Models (GLMs) to analyse proportion data, assuming a binomial error distribution and using a logit link function for maximum power. Model simplification was based upon analysis of deviance, where changes in deviance are compared to a chi-squared distribution. I calculated the heterogeneity factor (HF) to test for overdispersion of data (leading to possible overestimation of significance); in cases where HF <4, we scaled data and tested for significance using F-tests to correct for overdispersion (Crawley, 1993; 2002; 2007). I used GLMs to test for variation in sex ratio in response to variation in foundress number and oviposition duration; I included host mass and age in the maximal model as covariates. I transformed morph-ratio data using the arcsin-square-root transformation, and used linear models to test for variation in response to foundress number, oviposition duration, and clutch size. Interactions are presented only where significant at the level of $P<0.01$ or above (Crawley, 1993; 2002; 2007).

I compared the dispersal behaviour of LW and SW females using linear mixed-effect models, where the probability of dispersal was used as the response variable; morph, clutch size, foundress number and oviposition time were then included as possible explanatory variables, and host was included as a random effect in the model. All multivariate analyses were carried out using the JMP statistics package (JMP version 5.0.1.2, Copyright © 1989-2003 SAS Institute Inc), linear mixed-effect models were run in Genstat (version 8.1, VSN International, UK), and I carried out all further analyses in R (R version 2.3.1, Copyright © 2006, The R Foundation for Statistical Computing).

### 3.3 Results

#### 3.3.1 Morph description

I found two distinct female morphs, short-wing (SW) and long-wing (LW), and found that I could accurately identify them, both using morphological measurements and by eye. SW females had relatively shorter wings and an enlarged abdomen, whilst LW females had longer wings than body length and a relatively reduced
abdomen size, for a given body size (Figure 3.1). The majority of the variation in the morphological measurements I took (90%) was explained by principal components (PCs) 1 and 2 (which contributed equally; Table 3.2). Specifically, an increase in wing length for a given body size was associated with a decrease in both abdomen length and egg-load, described by the negative correlation between the contribution of wing length, and abdomen length and egg-load, to PC 1 (see Table 3.2). Overall, this suggests that there is a shape difference between the two morphs, and in addition I found a significant difference in this shape parameter (PC1) between the SW and LW groups (PC1: $F_{1,137}=153, P<0.001$; Figure 3.2). For both morphs, increasing body size was associated with a proportional increase in the size of other morphological traits measured (positive/near-zero loading for PC2 for all traits; see Table 1), with no significant difference in body size (PC2 scores) between SW and LW females (PC2: $F_{1,137}=3.42, P=0.067$; Figure 3.2). I found the SW and LW morph groupings were significantly different (with individuals scored as IM falling in the SW group), illustrated by the clear difference in SW and LW group means from discriminant function (DF) analysis, based on individuals’ scores for PC1 and 2. A number of intermediate (IM) individuals were identified when scored by eye, and approximately 12% of individuals (17 out of 139) were placed in the alternative group based upon their morphological measurements, from that which they were assigned to when scored by eye, by DF analysis; in nearly all cases these were IM individuals, which were the most likely to lie on the classification boundary between groups. I used these groups, SW (females scored SW or IM by eye) and LW (females scored LW by eye), to classify individuals for all further analyses.
Figure 3.1: The two female morphs of *M. australica*: a) a long-wing (LW) female and b) a short-wing (SW) female (actual size approximately 1-2mm).

<table>
<thead>
<tr>
<th></th>
<th>PC 1</th>
<th>PC 2</th>
<th>PC 3</th>
<th>PC 4</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Eigenvalue</strong></td>
<td>1.8439</td>
<td>1.7130</td>
<td>0.2793</td>
<td>0.1638</td>
</tr>
<tr>
<td><strong>Percent</strong></td>
<td>46.0977</td>
<td>42.8261</td>
<td>6.9813</td>
<td>4.0949</td>
</tr>
<tr>
<td><strong>Cumulative</strong></td>
<td>46.0977</td>
<td>88.9238</td>
<td>95.9051</td>
<td>100.0000</td>
</tr>
<tr>
<td><strong>Eigenvectors</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>tibia length</td>
<td>0.07682</td>
<td>0.70671</td>
<td>-0.67456</td>
<td>0.19908</td>
</tr>
<tr>
<td>abdomen length</td>
<td>0.65078</td>
<td>0.28006</td>
<td>0.16501</td>
<td>-0.68617</td>
</tr>
<tr>
<td>wing length</td>
<td>-0.28451</td>
<td>0.64529</td>
<td>0.69077</td>
<td>0.15966</td>
</tr>
<tr>
<td>egg number</td>
<td>0.69974</td>
<td>-0.07568</td>
<td>0.20146</td>
<td>0.68121</td>
</tr>
</tbody>
</table>

Table 3.2: Results of principal component analysis (PCA), showing the amount of variation explained by principal components 1-4 (eigenvalues), and the contribution (‘loading’) of each y variable to each principal component (PC1 – 4; eigenvectors).
3.3.2 Differences in life history and behaviour

I examined several key life history traits and dispersal behaviour to test whether morphologically different females adopt alternative strategies. SW and LW morphs differed in dispersal behaviour, but not overall body size or longevity. LW individuals showed a significantly higher propensity for dispersal from their natal patch than SW individuals ($F_{1,550.18} = 550.18, P < 0.001$; Figure 3.3a). Although SW females dispersed less than LW females, the dispersal of SW females - when compared across replicates of varying clutch size - increased with clutch size ($F = 85.81, P < 0.001$). In contrast, there was no significant difference in body size ($F_{1,137} = 3.1, P = 0.08$) or longevity (with sugar: $F_{1,104} = 0.092, P = 0.7625$; no sugar: $F = 2.32, P = 0.13$; Figure 3.3b) between the two morphological groups. The length of the hind-left tibia, our measurement of body size, was an average of 0.30mm (SE ±0.0009) for SW females, and 0.30mm (SE ±0.005) for LW females. The mean longevity was 6.7
days (SE ±0.2) for SW females, and 6.6 days (SE ±0.2) for LW females, at 30°C (with sugar; Figure 3.3b).

Whilst SW and LW females did not differ in their overall fecundity, they did differ in when they produced eggs. SW females laid a mean total of 316 eggs (SE ±65), whilst LW females laid a mean total of 478 eggs (SE ±104) (F_{1,20}=1.12, P=0.30). In contrast, there was a difference between SW and LW females in both when they produced and when they laid eggs. Specifically: (a) SW females had a larger number of eggs developed at emergence than LW females - SW females carrying an average of 8.3 eggs (SE ±0.6), and LW females carrying an average of 0.7 (SE ±0.2) eggs at emergence (F_{1,136}=278, P< 0.001; Figure 3.3c); (b) SW females laid a higher proportion of eggs in the 1\textsuperscript{st} clutch than LW females, and this pattern was reversed for the 2\textsuperscript{nd} clutch (1\textsuperscript{st} clutch, SW 10% more eggs: \chi^2\_1=232.7, P<0.001; 2\textsuperscript{nd} clutch, LW 9 % more eggs: \chi^2\_1=183.3, P<0.001; Figure 3.3d). This pattern was also reflected in the ovigeny index (OI) of the two morphs. The OI measure shows where individuals lie on the continuum between synovigeny and proovigeny, and is equal to the proportion of a females lifetime eggs produced present at emergence, which varies from 0 to 1, where 0 represents no eggs mature at emergence (synovigeny) and 1 represents all eggs fully-developed at emergence (proovigeny) (Jervis and Ferns, 2004; 2003; Jervis et al., 2001). Whilst all females were relatively synovigenic (the majority of eggs are matured after emergence), the OI indicates that SW females were relatively more proovigenic than LW females (OI\textsubscript{SW}=0.026, OI\textsubscript{LW}=0.001).
Figure 3.3: a) Mean proportion of female offspring within a brood that dispersed, from the total number of short-wing (SW) and the total number of long-wing (LW) females within a brood; b) mean longevity for short-wing (SW) and long-wing (LW) females; c) mean initial egg-load (IEL; number of eggs fully matured at emergence) for short-wing (SW) and long-wing (LW) morphs; d) proportion of total eggs laid in first and second clutches by SW females (white bars) and LW females (shaded bars). In all cases error bars indicate standard errors.

3.3.3 Patterns of sex ratio and morph-ratio

The proportion of LW females varied with total clutch size and oviposition period, but not with the number of females laying eggs (foundress number). I found no significant variation in morph ratio with increasing foundress number ($F_{1,76}=0.14$, $P=0.9$; Figure 3.4). A higher proportion of long-wing females (larger morph ratio) were produced with both increasing clutch size ($F_{1,78}=58.9$, $P<0.001$; Figure 3.4) and also with longer oviposition period ($F_{1,78}=41.2$, $P<0.001$; Figure 3.4).
Considering the sex ratio, there was a significant increase in sex ratio with increasing foundress number (F\(_{2,78}=3.9, P=0.02\); Figure 3.5). However, this represents a very slight shift in sex ratio of 1.7% (from 2.4% to 4.1%), as the number of foundress females was increased from 1 to 15 - in comparison with the expected 46% shift under LMC theory (Hamilton, 1967a). There was no significant effect of the duration of oviposition upon offspring sex ratio (F\(_{2,78}=0.46, P=0.5\); Figure 3.5) nor were there any significant interactions.

**Figure 3.4:** Variation in mean brood morph ratio (proportion long-wing females) across a range of foundress number treatments (1, 5 or 15 females); females were given an oviposition period of either 3 days (closed symbols) or 6 days (open symbols). Increasing foundress number corresponds to higher intensity of local mate competition (LMC). Error bars indicate standard errors.
Figure 3.5: Mean brood sex ratios (proportion male offspring) across treatments of varying foundress number (1, 5 or 15 females), when females were given either 3 days (closed symbols) or 6 days (open symbols) for oviposition. Increasing foundress number corresponds to increasing intensity of local mate competition (LMC). The error bars indicate standard errors.

3.4 Discussion

I have shown that *M. australica* females have two morphologically distinct dispersal morphs – long-wing (LW) and short-wing (SW) (Figures 3.1 & 3.2). SW females had relatively shorter wings and larger abdomens, while LW females had reduced abdomen size and wings longer than body-length (Figure 3.1). Considering their life history strategies, SW females exhibit a lower propensity to disperse than LW females, emerge with a higher proportion of eggs fully developed, and lay a higher proportion of eggs in their first clutch (Figure 3.3). In contrast, the morphs did not differ in their body size, longevity, or overall fecundity (Figure 3.3). I then considered whether the ratio of the different female morphs was adjusted in response to local competition and relatedness, as predicted by theory. I found that a higher
proportion of dispersers was produced with both increasing clutch size and longer oviposition period, but that the proportion of dispersing offspring did not vary with the number of foundresses laying eggs on a patch - which determines the relatedness of competing females that do not disperse (Figure 3.4). My results suggest that resource competition, rather than relatedness, is the major determinant of variation in the dispersal rate in *Melittobia*.

### 3.4.1 Dispersal

How does the dispersal polymorphism in *Melittobia* compare with our understanding of dispersal polymorphism more generally? Across a range of polymorphic insect species, a trade-off between dispersal and other fitness-related life history traits has often been found, which most commonly manifests as increased fecundity coupled with decreased age of first reproduction for the non-dispersing morph (Roff, 1984; Roff and Fairbairn, 1991; Zera and Denno, 1997). In contrast, I found no difference in absolute fecundity between LW and SW females. However, SW females did have greater initial investment in egg production (higher ovigeny index), and laid a higher proportion of eggs earlier, suggesting that SW females have an earlier age of first reproduction – previous work suggests that SW *Melittobia* females start to lay eggs soon after locating hosts, whereas LW females must develop eggs before laying (Matthews et al., 2009). The majority of studies have found no difference in longevity between morphs, as I have shown for *M. australica* (Roff, 1984; Roff and Fairbairn, 1991). One possible explanation for the discrepancy between predicted life history trade-offs and experimental data is that - particularly in the case of parasitoids - differences in life history traits such as fecundity and longevity are unlikely to manifest fully under laboratory conditions (Godfray, 1994; Jervis and Ferns, 2004; 2003; Jervis et al., 2001). Nonetheless, physiological differences between morphs have been shown in other species, where nutrients were allocated differentially to different life history traits (Zera and Denno, 1997). Furthermore, a number of studies have shown that dispersal itself - and in particular the capacity for flight - is energetically costly, largely because the wing muscles of dispersing individuals are costly to develop and maintain, resulting in a compensatory decrease in metabolic
rate (Nespolo et al., 2008; Roff et al., 2003; Roff and Fairbairn, 2007; Roff and Gelinas, 2003).

Morphological differences between dispersal morphs have previously been shown to correspond to dispersal ability, usually higher in the winged morph (Roff and Fairbairn, 1991; Socha and Zemek, 2003). At the population level, a higher proportion of winged individuals has been found to correlate with both the increasing presence of wing muscles, and an increasing behavioural propensity of long-wing individuals to disperse (Roff and Fairbairn, 1991). I have shown that LW females have a higher propensity to disperse, and that dispersal propensity increases along with the proportion of dispersers – associated with increasing clutch size (Figures 3.3, 3.4). The process of morph determination is less well understood, with evidence that genetic, hormonal and environmental influences may be important (Roff, 1984; Roff and Gelinas, 2003; Zera and Denno, 1997). Previous work on Melittobia species suggests that morph determination is neither genetically controlled nor hormonally regulated (Consoli et al., 2004; Consoli and Vinson, 2002a; 2002b; 2004), and my experimental results provide indirect evidence that environmental conditions are important, as the proportion of dispersers was most strongly influenced by clutch size – a direct correlate of resource availability. Further work is needed to consider the potential for maternal or offspring control of morph determination.

Dispersal theory suggests competition between relatives can be important in the evolution of dispersal (Comins, 1982; Comins et al., 1980; Hamilton and May, 1977). Theory predicts that higher levels of dispersal will be favoured if fewer foundresses lay eggs on each patch, because this leads to a greater relatedness between competing non-dispersers (Comins, 1982; Comins et al., 1980). I find no support for this prediction (Figure 3.4), suggesting that variation in relatedness has little influence on selection for dispersal by females. A possible explanation could be that there is no selection on females to respond to variation in foundress number, if most females are solitary; in this case, we would expect a fixed rate of offspring dispersal (Herre, 1987). This is unlikely as data from natural populations of Melittobia suggest that foundress number does vary (Freeman, 1977; Freeman and
Ittyeipe, 1976; Gonzalez et al., 2004c). Alternatively, if females on natural patches are all highly related then variation in foundress number would not equate to substantial variation in offspring relatedness; in this case, we would also expect no variation in dispersal strategy (Frank, 1998).

Theory also predicts that the number of competitors can influence dispersal decisions, where an increase in the number of competitors for resources on a patch will favour an increased rate of dispersal (Consoli and Vinson, 2002a; Hamilton and May, 1977; Ronce et al., 2000). Here, I found support for this, with an increasing proportion of dispersing females produced with increasing clutch size (Figure 3.4). Increasing foundress number has two potential effects, lowering average relatedness, but also influencing the number of competitors; in this case, the effect of increased competition appears to be much more important. Previous studies on *Melittobia* species have also shown that SW females develop from the first eggs laid, and all later eggs develop into LW females (Abe et al., 2005; Consoli and Vinson, 2002b; 2004; Matthews et al., 2009); here I found indirect support for this pattern, as the proportion of LW females increased with greater length of oviposition period. Increasing competition for resources is expected to result in the production of more LW female offspring because the amount of resources available for oviposition decreases, and females must therefore disperse to find new hosts. Similarly, the pattern of producing SW females earlier in oviposition may be due to the low value of producing late-developing SW females: once the early-developing SW have laid eggs on the natal host, few resources remain for further oviposition by later SW.

### 3.4.2 Dispersal and sex allocation

The sex ratio behaviour of *Melittobia* poses a significant problem for sex allocation theory, as an exceptional case in a field that otherwise has extremely strong empirical support, and therefore needs to be explained (West, 2009; West et al., 2005). When offspring of one sex disperse less, related members of the non-dispersing sex experience a greater degree of competition, and so selection favours a sex ratio biased towards the dispersing sex (Bulmer and Taylor, 1980b; Hamilton, 1967a; Taylor, 1981). Hamilton (1967a) showed that, when mating occurs before only the
females disperse, a female biased sex ratio is favoured, that becomes less biased as more females lay eggs per patch. However, *Melittobia* females do not adjust their offspring sex ratios in response to the number of foundresses laying eggs per patch (Figure 5; Abe et al., 2003b; 2003a; 2005; Cooperband et al., 2003; Innocent et al., 2007). Several hypotheses have been proposed for the lack of sex ratio shift in these species: that foundress number does not vary in natural populations, high relatedness between foundress females, and fatal fighting between males (Abe et al., 2003a; 2007; Frank, 1998; Herre, 1987). Lack of variation in foundress number in natural populations would result in no selection for adjustment of sex ratio (Herre, 1987). Alternatively, if co-founding females are highly related a female biased sex ratio is predicted irrespective of foundress number, since there is little variation in relatedness between competing males in this case (Frank, 1998). Finally, fatal fighting between male *Melittobia* could select against the production of sons and favour a lack of sex ratio shift in response to LMC (Abe et al., 2003a; 2007; see also Shuker et al., 2005). While evidence supports the occurrence of multiple foundress scenarios (Cooperband et al., 2003; Freeman and Ittuyepe, 1976; 1993; Matthews et al., 2009; Schmieder, 1933; Van den Assem et al., 1982), empirical data give mixed support to the idea that selection due to male fighting can fully explain the sex ratio (Abe et al., 2003a; 2003b; 2005; 2007; Freeman and Ittuyepe, 1976; Innocent et al., 2007), and there is no conclusive explanation for this unusual pattern of sex allocation at present.

Given that the same selective forces influence both sex ratios and dispersal (Bulmer and Taylor, 1980a; Frank, 1998; Leturque and Rousset, 2003; 2004; Motro, 1991; Perrin and Mazalov, 2000; Rousset and Billiard, 2000; Taylor, 1994; Wild and Taylor, 2004), can the pattern of dispersal in *Melittobia* help us explain its unusual sex ratio behaviour? The various possible explanations of a lack of sex ratio adjustment in *Melittobia* wasps have different consequences for the evolution of dispersal. Theory predicts that just as an increasing number of (foundress) females laying eggs per patch selects for less female biased sex ratios (Hamilton, 1967a), it also selects for lower rates pf dispersal (Comins, 1982; Comins et al., 1980), which would translate into a higher proportion of the non-dispersing morph. The male
fighting hypothesis does predict variation in dispersal under LMC: in this case male fighting selects against sex ratio adjustment with variable foundress number, but does not select against variation in female dispersal rate (Abe et al., 2003a; 2007). In contrast, if the lack of sex ratio adjustment is due to foundress number (N) not normally varying (Herre, 1987), or high relatedness between foundresses (Abe et al., 2005; Frank, 1985; 1986b; 1998), then, as supported by our data, we would not expect the proportion of dispersing females to be varied with the number of foundress females. However, the lack of influence of foundress number on both sex ratio adjustment and variation in the proportion of dispersers should not be seen as definitive evidence against the male fighting hypothesis, because there are other possible reasons why the proportion of dispersers is not varied (see previous section). A key next step, which is already underway, is to obtain a greater amount of information about the population structure of natural populations of *Melittobia*. 
Chapter 4  Influence of relatedness and the environment on lethal combat in *Melittobia*

4.1  *Introduction*

When individuals compete for resources, these interactions span the entire spectrum of behaviour from cooperative resolution to escalated conflict (Maynard-Smith and Price, 1973). Violent interactions are rare and only predicted under conditions where the benefit of winning far outweighs the potential cost of conflict (Enquist and Leimar, 1990; Maynard-Smith and Price, 1973). Fatal fighting, where competing individuals risk death in violent contests, is expected only when competition occurs over a finite resource of extremely high value (Enquist and Leimar, 1987; 1990). Whilst competition over mates does not always lead to conflict almost all known examples of extreme conflict result from competition over mates or access to mating opportunities (Enquist and Leimar, 1987; 1990), such as in fig wasps, *Cardiocondyla* ants, and thrips (Anderson et al., 2003; Hamilton, 1979; Murray, 1987). As mating is so directly tied to an individual’s fitness, this resource will be extremely valuable to all individuals, almost all of the time. Consequently, when a finite resource as valuable as mating opportunities is limited in time, space, or both, then extreme competition and lethal combat can evolve (Enquist and Leimar, 1990; Hamilton, 1979; Maynard-Smith and Price, 1973; Murray, 1987; Reinhold, 2003).

When extreme conflict does evolve, theory predicts that the occurrence and intensity of fights will vary with resource value (Enquist and Leimar, 1987; 1990), the number of competitors (Murray, 1987; 1989; Murray and Gerrard, 1984; 1985), and the level of relatedness between them (Reinhold, 2003). First, although mates are always a valuable resource, theory suggests that what matters for the evolution of extreme conflict is the ratio of the current resource value to its potential future value (Enquist and Leimar, 1990). When competitors have many future chances to mate, a single mating constitutes a small fraction of potential lifetime reproductive success, and so there is little value fighting over it (Enquist and Leimar, 1990; Hamilton, 1979). In contrast, if future mating opportunities are unlikely, or available mates diminish over
time, then a single mating represents a considerably larger proportion of lifetime reproduction, and so fatal fighting is more likely to be favoured (Cook et al., 1999; Enquist and Leimar, 1990; Hamilton, 1979; Murray, 1987). Second, variation in competitor density is predicted to have several, opposing effects upon the intensity or frequency of fatal fighting, or both. As the number of competitors increases, the encounter rate increases, resulting in a higher frequency of fights, but also lessening the value of winning each fight (Murray, 1987). Overall, these effects predict a peaked relationship between the number of competitors and the intensity of fighting, where fight intensity is highest at intermediate competitor density (Murray, 1987). Third, it has been argued more recently that if competitor number and relatedness are considered simultaneously, fight intensity is predicted to decrease with competitor number, rather than show a domed relationship (Reinhold, 2003). In addition, fight intensity is predicted to decrease when competitors are more closely related, if individuals are able to recognise kin, due to the indirect (fitness) benefits of harming non-relatives and not harming relatives (Hamilton, 1979; Reinhold, 2003). However, there have been few tests of these predictions, especially with experimental studies (Cook et al., 1997; Moore et al., 2008; Reinhold, 2003).

Here, I use the parasitoid wasp *Melittobia* to test all of these theoretical predictions, by manipulating resource value, competitor density, and level of relatedness independently. Male *Melittobia* have a limited opportunity within which to gain matings, as they are confined to their natal host, and are restricted to the female’s eclosing from it (Hamilton, 1979; Matthews et al., 2009). As the entirety of their lifetime reproductive success is at stake when males compete, they engage in extremely violent lethal combat (see methods). First, I manipulate resource value - mating opportunities - by allowing some males to mate prior to fighting, but preventing others from doing so. This alters the ratio between the current value of the resource and its lifetime value, such that future reproductive opportunities are a greater component of lifetime reproduction for a virgin male than a mated male. I expect the resource (mates) to be of higher value to a virgin male than a mated male, meaning that virgin males will fight more often, more intensely, or both. Second, I manipulate the density of male competitors (spanning a natural range of density) by
placing males in groups of varied size, and measure fight intensity. I expect the
frequency of fights to increase with group size, and fight intensity to be greatest at
intermediate density (Murray, 1987), or decrease with increasing density (Reinhold,
2003; Figure 5.1). Third, I vary competitor density and relatedness simultaneously,
by creating groups of different sizes within which males compete with either
unrelated males, or a mixture of related and unrelated males. If individuals are able
to recognise kin, then I predict lower overall fight intensity in more related groups
(Reinhold, 2003). If, however, Melittobia do not recognise kin, I expect relatedness
to have no effect on the frequency or intensity of fights, which would then simply be
determined by competitor density (Reinhold, 2003). In all experiments I collect data
to quantify fight intensity at a number of levels, considering the pattern of mortality;
the incidence and severity of injuries; and measures of aggressive behaviour.
Figure 4.1: Theoretical predictions for the relationship between number of competitors and fight intensity; a) increasing encounter rate is counteracted by increased cost of fighting (Murray, 1987); b) fight intensity decreases with competitor number, for 1 foundress female (solid line), 2 foundresses (dotted line), and 3 foundresses (dashed line) (Reinhold, 2003). In both cases, the y-axis corresponds to increasing fight intensity.

4.2 Methods

4.2.1 Natural history and general methods

Melittobia acasta and M. australica (Hymenoptera: Eulophid) are gregarious ectoparasitoid wasps with natural history common to other Melittobia species
Melittobia species parasitise a wide range of hosts, particularly other species of hymenoptera (Balfour Browne, 1922; Cooperband and Vinson, 2000; Dahms, 1984; Freeman, 1977; Freeman and Parnell, 1973; Gonzalez et al., 2004b; Matthews et al., 2009; Van den Assem et al., 1980). Sexual dimorphism between males and females is pronounced: males are blind, flightless and remain on the natal host to compete locally for mates, while females have fully-functioning eyes and wings, and may disperse after mating (Buckell, 1928; Dahms, 1984; Gonzalez et al., 2004b; Matthews et al., 2009). Male mandibles are highly modified weapons used in violent lethal combat prior to female eclosion: males sever competitor’s limbs and decapitate opponents in fights to the death. Any male(s) remaining alive gain the opportunity to mate with females emerging from their host. Melittobia produce extremely female-biased offspring sex ratios (85-95% female; Abe et al., 2003b; 2005; Cooperband et al., 2003; Gonzalez et al., 2004b; Innocent et al., 2007) so the proportion of male offspring eclosing from a host is low; however, the precise number of males varies with both the number of females laying eggs on the host, and the host species. For example, the number of males per host in culture ranges from 0-1 (1 foundress, 24 hours oviposition) to 15-17 (50 foundresses, 48 hours oviposition) on Calliphora vomitae pupae, and from 0-7 (1 foundress, 72 hours) to as many as 80 (15 foundresses, 144 hours) males on Bombus terrestris pupae (Innocent et al., 2007; Innocent et al., in press). The degree of relatedness between male competitors is also influenced by the number of female foundresses, and by foundress relatedness (Innocent et al, in review). Given the potential for multiple foundresses and overlapping generations on a single host (Cooperband et al., 2003; Dahms, 1984; Freeman and Ittyeipe, 1976; 1982; 1993; Matthews et al., 2009; Schmieder, 1933; Van den Assem et al., 1982), male emergence may vary through time; as a result males differ in age and fighting ability e.g. (Abe et al., 2007; Innocent et al., 2007), and experience variation in the local or temporal availability of females.
Across *Melittobia* species, natural history, host range, sex ratio patterns and fighting behaviour are similar (e.g. Matthews et al., 2009), but patterns of development vary; I utilise the differences between *M. acasta* and *M. australica* in these experiments. *M. acasta* has more synchronous development in culture, enabling the production of large numbers of age-matched males (experiment 1), whereas a larger bank of iso-female lines is available for *M. australica* (experiments 2 & 3). I cultured *M. acasta* stock on *C. vomitae* pupae at 30ºC (see Innocent et al., 2007; Reece et al., 2007). *M. australica* lines were collected from a range of locations throughout Japan (by Jun Abe, 1999/2000; see (Abe et al., 2003b; Abe et al., 2005)). I reared all experimental *M. australica* lines on *B. terrestris* pupae (Koppert, The Netherlands), incubating them at 30ºC with a 16:8 light:dark photoperiod.

To produce males, I collected virgin female pupae from appropriate stock culture: as sex determination in *Melittobia* is haplodiploid, virgins produce exclusively male offspring from unfertilised eggs (Cook, 1993). I placed groups of 60 virgin females with hosts for oviposition (as above) and incubated them at 30ºC. To minimise variation in age of male offspring, I gave virgin females hosts synchronously and limited oviposition to an 8-hour period. I collected male pupae from hosts approximately 8 days after oviposition, isolating each in a gelatin capsule of similar dimension to host pupae (volume = 0.21ml), preventing aggressive male-male interaction prior to the experiment. I checked males daily, grouped them by emergence date, and used males from the same 24-hour emergence period within experimental replicates. I collected data for measures of fight intensity based on behaviour, injury and mortality, using two types of fighting arena. I used holes punched in sheet metal (5mm diameter; 3mm thick) encased by glass cover slips as arenas for individual data collection (experiment 1), cleaned between replicates to avoid the influence of chemical signals from previous contests. To collect group-level data (experiments 2 & 3) I used gelatin capsules as arenas (as above).

### 4.2.2 Experiment 1: resource value

I tested Enquist and Leimar’s (1990) prediction, that the extent of fatal fighting is related to the value of a contested resource. Specifically, I tested whether virgin
males compete more intensively over mating opportunities than previously mated males. I placed males from the mated treatment with 5 virgin females (from stock synchronised with male emergence) for 2 hours, at 30°C. I placed the remaining virgin males at 30°C for 2 hours, isolated in gelatin capsules. Subsequently I paired males in 3 combinations: mated male + mated male (MM), virgin male + virgin male (VV), and mated male + virgin male (MV). I painted each male’s abdomen for identification; colour was assigned randomly across pairs and combinations. I observed each male separately for 5 minutes, recording the number of movements between sectors of the arena to estimate individual activity level. Next, I paired males in a new arena and observed for 30 minutes, recording: interaction start and end time; identity of the male initiating/retreating; and the occurrence of key aggressive behaviours, i) boxing, ii) locking of opponent, and iii) biting or lunging. I defined interactions as >5 seconds of physical contact between males, and considered them antagonistic if I observed aggressive behaviour. I scored the relative size of the two males by eye. After observation I incubated each pair into a gelatin capsule (as above) at 30°C; I recorded the outcome of each contest at 24 hours (win/lose, or draw), the identity of male(s) remaining alive, and any visible injuries to either male.

4.2.3 Experiment 2: group size

I tested Murray’s (Murray, 1987) prediction that fight intensity is influenced by the number of competitors, and greatest at intermediate male densities. I set up 6-12 replicates for each of five biologically realistic competitor densities: 2, 5, 10, 15 and 25 males. I placed groups of randomly assigned, age-matched males into capsule arenas (see above), and incubated them at 30°C. I recorded the number of males dead at 2, 4, 6, 8 and 24 hours (Olympus SZX10 microscope), to estimate the time of the first death and proportion of males dead at 24 hours within arenas. I froze all arenas at 24 hours, scored visible injuries for each male within every replicate - according to a scale adapted from Murray (Murray, 1985; 1987; 1989; 1990; Murray and Gerrard, 1984; 1985) - and calculated mean injury per wasp (lifetime extent of injury, LEI), proportion of males injured and proportion with severe injury (score >7) for each arena.
4.2.4 Experiment 3: relatedness & group size

I tested Reinhold’s (2003) prediction that the relatedness of competitors, in addition to their density, influences fight intensity within a group. I varied relatedness between males using two treatments: ‘related’ – all males came from the same line - or ‘mixed relatedness’ – males came from 3 different lines (from 6 available lines); and competitor density using two group sizes, 3 or 6 males (see Table 4.1). For each of 3 lines contributing males to an unrelated replicate, I set up a separate, related replicate of the same group size (see Table 4.1). I simultaneously placed eight groups (1 of each combination; see Table 4.1) in gelatin capsules, which I mounted and observed under a microscope (as before) for 30 minutes. I recorded the number of fights and the number of males engaged in fighting at 1-minute intervals through this period, and any deaths throughout; non-aggressive interactions were not included. Following observation I incubated arenas at 30°C, recording the number of males dead at 90, 180 minutes, and 24 hours in order to estimate the time of first death and calculate the proportion of males dead at 24 hours. I froze all arenas at 24 hours, scored injuries for each individual and calculated the LEI, proportion of males injured and the proportion with high injury per arena (as above).

<table>
<thead>
<tr>
<th>Related</th>
<th>Mixed relatedness</th>
</tr>
</thead>
<tbody>
<tr>
<td>3 males</td>
<td>aaa or bbb or ccc etc</td>
</tr>
<tr>
<td>6 males</td>
<td>aaaaaa or bbbbbbb or cccccc etc</td>
</tr>
</tbody>
</table>

**Table 4.1**: Treatment combinations for experiment 3, involving 2 group sizes (3 or 6 males) cross-factored with both a related (single line) and unrelated (3 lines: shown here as a, b, and c) treatment. Each letter represents an individual male.
4.2.5 Statistical methods

Where necessary, data were transformed to improve normality (square-root transformation on time of first death data, log transformations for behavioural measures, arcsine-square root transformation for proportion data). I used linear models to test for the effect of group size upon the time of 1st male death, the proportion of males dead at 24 hours, and the proportion of males injured in experiment 2; and all behavioural measures of fight intensity from experiment 1. I used Generalised Linear Models (GLMs) to analyse fight resolution and occurrence of injury data (experiment 1), assuming a binomial error distribution and using a logit link function for maximum power. Model simplification was based upon analysis of deviance, comparing changes in deviance between models to the chi-squared distribution. I tested for overdispersion of data by calculating the heterogeneity factor (HF); where HF<4 data was scaled and significance tested using the F-distribution to correct for overdispersion (Crawley, 1993; Crawley, 2002; Crawley, 2007). I included in the model resource value treatment, size difference between competitors, difference in activity level, and 2-way interactions with treatment as possible explanatory variables. Interactions are presented only where significant at the level of P<0.01 (Crawley, 1993; Crawley, 2002; Crawley, 2007). To examine the effect of both group size and relatedness between competitors on mortality, injury and behaviour in experiment 3, I used linear mixed effect models. I used the measures of fight intensity as response variables for each model, including group size and relatedness in the model as fixed effects, and fitting line as a random effect. All analyses were carried out in R (R version 2.3.1, Copyright © 2006, The R Foundation for Statistical Computing).

4.3 Results

4.3.1 Experiment 1: resource value

In contrast to Enquist and Leimar’s (1990) predictions I found that variation in resource value – mating opportunities – as manipulated by whether males had previously mated with females, had no effect on fight intensity, as estimated by
mortality, injury, or behaviour. The likelihood of at least one male dying within the first 24 hours was not influenced by resource value (male mating status: $F_{2, 55}=0.6$, $P=0.55$); size difference ($F_{1, 57}=0.47$, $P=0.49$); or individual activity level ($F_{1, 54}=0.26$, $P=0.61$). I scored all visible injuries but found no significant correlation with male mating status ($F_{2, 55}=1.95$, $P=0.15$), size difference ($F_{1, 55}=1.6$, $P=0.2$), or activity level ($F_{1, 55}=0.098$, $P=0.76$). I found no significant correlation between the mean number of fights per minute and male mating status ($F_{2, 55}=1.75$, $P=0.18$; Figure 4.2), size difference ($F_{2, 56}=3.38$, $P=0.07$), or difference in individual activity between males ($F_{1, 53}=0.01$, $P=0.91$). I also found the same qualitative pattern with two other measures of aggressive behaviour, the total number of fights and the proportion of the observation period individuals spent fighting ($P>0.25$ in all cases). There were no significant interactions.

![Figure 4.2](image)

**Figure 4.2:** Mean number of fights per minute between male pairs within three treatment combinations: both virgins (VV), both mated (MM), and a mated versus a virgin male (MV). Error bars indicate standard errors.

### 4.3.2 Experiment 2: group size

In contrast to Murray’s (Murray, 1987) prediction that fight intensity will be greatest at intermediate competitor density, I found that fight intensity increased
monotonically with group size. The proportion of males dieing within 24 hours was positively correlated with group size ($F_{1,43} = 14.74, P = 0.0004$; Figure 4.3a), and the first male death was significantly earlier in larger groups ($F_{1,43} = 48.32, P < 0.0001$). There was no significant quadratic relationship with group size in either case ($P > 0.1$). We found no significant effect of increasing group size on the proportion of males injured within a group (linear: $F_{1,43} = 1.17, P = 0.29$; quadratic: $F_{1,42} = 0.26, P = 0.61$; Figure 4.3b). Similarly, there was no significant effect of group size on the proportion of males with high injury score, or mean injury per wasp ($P > 0.35$); there were no quadratic relationships ($P > 0.35$).
Figure 4.3: The influence of competitor density on mortality and injury measures within groups, for a range of group sizes; (a) the pattern of mortality, shown as the proportion of males within a group dead at 24 hours; and (b) the pattern of injury, shown as the proportion of males injured within 24 hours. Error bars show mean values ± standard errors.

4.3.3 Experiment 3: relatedness & group size

I found no support for Reinhold’s (2003) predictions. In contrast to Reinhold’s (2003) prediction that lower fight intensity occurs when there is a higher level of
relatedness between competitors, I found that there was no effect of relatedness upon mortality, injury or aggressive behaviour. In addition, I found no support for Reinhold’s (2003) prediction that increasing group size will lead to decreased fight intensity. The proportion of males dead at 24 hours increased significantly with increasing group size ($F_{1,58}=6.56, P=0.01$; Figure 4.4a), but not with variation in male relatedness ($F_{1,11}=1.12, P=0.27$; Figure 4.3a). Similarly, the time of first death was significantly earlier in larger groups ($F_{1,58}=12.23, P<0.0001$), but was unaffected by relatedness ($F_{1,11}=2.39, P=0.13$). The proportion of males injured did not vary significantly with increasing group size ($F_{1,58}=0.53, P=0.47$) or relatedness within groups ($F_{1,11}=2.71, P=0.13$; Figure 4.4b). I found a similar pattern for the proportion of males with severe injury and the LEI ($P>0.1$). The mean proportion of males fighting increased with group size ($F_{1,58}=11.34, P=0.001$; Figure 5.4c), but did not vary with relatedness ($F_{1,11}=1.21, P=0.27$). Similarly, the mean number of fights per minute increased with increasing group size ($F_{1,58}=38.9, P=0.0001$), but did not vary with relatedness ($F_{1,11}=1.87, P=0.18$). There were no significant interactions.
Figure 4.4: The influence of group size and relatedness on fight intensity (y-axis: 0 = low intensity, 1 = high intensity) in *M. australica* as measured by (a) mortality, shown as proportion of males dead at 24 hours; (b) proportion of males injured; and (c) proportion of males fighting per minute, for related (open circles) and unrelated (closed circles) groups of 3 or 6 male competitors. Error bars indicate mean value ± standard error.
4.4 Discussion

I used male *Melittobia* wasps to test theoretic predictions for how resource value, competitor density, and relatedness between rivals will influence the intensity of violent fighting (Figure 4.1). I found that: (1) males do not adjust their level of aggression in response to whether or not they had previously mated, and therefore the contested resource value (Figure 4.2); (2) the intensity of fighting increased monotonically with increasing competitor density (Figure 4.3); (3) there was no difference in the level of aggression between contests of either unrelated, or closely related, males (Figure 4.4). Overall my results suggest that male *Melittobia* exhibit a relatively fixed behavioural strategy, lack kin discrimination, and will always engage in potentially lethal combat.

Theory suggests that the more valuable a contested resource, the more likely competitors are to risk costly, escalated conflict to obtain it (Cook et al., 1999; Enquist and Leimar, 1987; 1990; Hamilton, 1979). Here, I find no evidence that the intensity of fighting between male *Melittobia* varies with resource value, or that it differs whether the contested resource has the same, or different value for the competitors (Figure 4.2). One possible explanation for this is that, given the short lifespan of males and limited opportunity to gain mates, any pre-existing fight advantage is lost if males stop to assess the merits of entering a fight, and it is therefore a better strategy to fight every time. Another possibility is that my manipulation does not alter resource value, because the value of past resources has no impact upon the ratio of current to future resource value (Dawkins and Carlisle, 1976). Here, the current resource always has far greater value than future resources, and so fighting is always favoured. How does fighting in *Melittobia* compare to other species where extreme contests are found? A common feature of species where males engage in lethal combat is that females are aggregated both spatially and temporally (for a short time), and that these females are the only mates available to males (Enquist and Leimar, 1990; Hamilton, 1979). For instance, wingless male fig
wasps engage in lethal combat within fig fruit for access to locally emerging females, and wingless male *Cardiocondyla* ants will kill rivals within the nest during competition for mates (Anderson et al., 2003; Bean and Cook, 2001; Cook and Bean, 2006; Cook et al., 1997; 1999; Hamilton, 1979; Murray, 1987; 1989; 1990; Murray and Gerrard, 1984; 1985).

The intensity of fighting is predicted to show either a domed, or decreasing relationship with competitor density (Murray, 1987; Reinhold, 2003). As competitor density increases this leads to a higher number of interactions between males, and hence the possibility for more violent conflicts; but this can be negated at high density if this leads to scramble competition and hence the benefit of fighting decreasing (Murray, 1987). I found that a greater number of competing males led to a monotonic increase in fight intensity (Figure 4.3). If encounter rate does increase with the number of competitors, as is likely to be the case, (Murray, 1987; Reece et al., 2007), then these results suggest that males do not modify their fighting behaviour in response to increasing costs of fighting with, and defending resources against, an increasing number of opponents (Murray, 1987; 1989; Murray and Gerrard, 1984). Furthermore, this confirms previous observations that conflict-limitation through opponent assessment does not occur in *Melittobia* (Reece et al., 2007).

Theory predicts that, if individuals are able to discriminate relatives from non-relatives (kin discrimination), then competition should be less aggressive between relatives (Hamilton, 1979; Reinhold, 2003). Another way of looking at this is that individuals should be more violent to non-relatives, if it reduces the level of competition experienced by relatives who are also competing with these non-relatives – because fighting may be costly, this can represent a spiteful or indirectly altruistic behaviour (Gardner et al., 2007; Gardner and West, 2004). I allowed male *Melittobia* to interact with both relatives and non-relatives, and found no evidence that they adjust their fighting behaviour in response to relatedness (Figure 4.4; see also Abe et al., 2003b). This suggests that *Melittobia* are unable to discriminate kin, which is consistent with data from other non-social insects, where kin discrimination
is rarely found (Fellowes, 1998; Reece et al., 2004; Shuker et al., 2004a). A lack of
kin discrimination can be expected from a theoretical perspective, because kin
discrimination based on genetics will often not be evolutionarily stable. The reason
for this is that it would favour common alleles, which would be recognised more
often, and hence kin discrimination would eliminate the genetic diversity that it
requires in order to operate (Crozier, 1986; Rousset and Roze, 2007). More
generally, the observed lack of kin discrimination supports the lack of an effect of
mean relatedness on the level of fighting in fig wasps, because the local competition
within fig fruits means that any kin selected benefit of reduced conflict with closer
relatives is negated by increased competition with other relatives (West et al., 2002).
Put simply, there is no benefit in being less aggressive with a brother, if any benefit
they obtain comes at the cost to another brother.
Chapter 5  Discussion

Each chapter of this thesis has its own specific discussion of experimental results. Here, I summarise these findings in a broader context, suggest future directions, and highlight the implications of my work for social evolution more generally.

5.1 Summary of results

5.1.1 Sex ratio in *Melittobia*

In chapter 2, I present a series of experiments that examine the pattern of sex allocation in *Melittobia*. Specifically, I describe the extremely female biased offspring sex ratio in *M. acasta*, and attempt to understand the unusual lack of sex ratio adjustment in response to variation in local mate competition (LMC; Hamilton, 1967a) observed across *Melittobia* species. I show that females produce a sex ratio of 85-95% female offspring, and that this sex ratio is precisely controlled. And, while LMC theory predicts that the sex ratio will become increasingly less biased with increasing foundress number, I found that the sex ratio in *Melittobia* shifts only marginally relative to predictions. I examine a possible explanation for this pattern by testing a model of asymmetrical LMC, where earlier emerging males have a competitive advantage in competition for mates, which selects against the production of a less female-biased sex ratio (Abe et al., 2003b). In *Melittobia* mating competition takes the form of fatal fighting. I show that early emerging males do have a competitive advantage that could enhance the asymmetry in mate competition, as early emerging males are able to attack later emerging males at the vulnerable point of emergence. The pattern of sex ratio also suggests that male eggs are laid first, which would maximise emergence advantage.

The magnitude of the advantage required by early males to explain the lack of sex ratio adjustment is large, and I show two reasons why this might not be realistic. First, male size is closely tied to fighting ability, and the probability of winning fights; any emergence advantage is reduced by an advantage due to body size of
opponents (chapter 4). Second, the advantage of early emergence lasts only as long as the period of emergence; after this point, all males are equally prepared for combat, which is less than half the duration of their lifespan. However, there are two alternative explanations for the unusual sex ratio pattern in Melittobia. If foundress number varied little in natural populations, then selection for sex ratio adjustment would be weak; here, little sex ratio adjustment would be predicted (Herre, 1987). Data suggests, however, that foundress number does vary in natural populations; and in addition, variation in female morph can lead to overlapping generations on a single host (Freeman, 1977; Freeman and Ittyeipe, 1976; Gonzalez et al., 2004c; Matthews et al., 2009). Similarly, if foundress females were related, and therefore were also related to each other’s male offspring, then a female biased sex ratio would be predicted (Frank, 1998). To fully assess these alternative explanations, more data is needed from natural populations of Melittobia. If, for instance, resource competition leads to earlier emerging males also being larger, then the advantages of early emergence and fighting ability would be combined, and fatal fighting between males may provide a more substantial explanation for the lack of sex ratio shift. And, even if foundress females are often related, this could lead to increased competition between relatives cancelling the advantage of laying a female biased sex ratio.

Finally, the pattern of sex ratio could be affected by the pattern of dispersal (chapter 3); an interesting extension to these experiments would be to understand more about the variation in female morph production and pattern of dispersal in natural populations.

Within the field of sex allocation, patterns of sex ratio that cannot be explained by the predictions of theory are rare. Sex allocation is one of the most theoretically well-understood areas of evolutionary biology, and has a large amount of empirical support from a wide range of taxa (West et al 2005; West, 2009). In some cases, the predictions of sex allocation theory, and in particular Hamilton’s local mate competition theory (LMC), are met quantitatively as well as qualitatively (e.g. Werren, 1980, 1983). Considered in this context, the extremely female biased sex ratio, and lack of sex ratio adjustment in Melittobia species is particularly striking. Attempting to explain this pattern has prompted more recent extensions of LMC.
theory tailored to the biology of this system (Abe et al., 2003a). So far, empirical tests of theoretical predictions have not provided a conclusive explanation for this unusual example of sex allocation. This may be because we need more information on the details of biology in natural populations, and may be because theoretical models are missing some of the important details of the biology of more unusual systems. In either case it is important, and interesting, to explain exceptional cases such as *Melittobia*, promoting further empirical testing of existing sex allocation theory, and in turn driving further development of theory.

### 5.1.2 Dispersal in *Melittobia*

The experiments I present in chapter 3 describe the dispersing and non-dispersing female morphs of *Melittobia australica*, and test theoretical predictions that the level of dispersal will vary with the extent of competition for resources, and the level of relatedness between potential competitors. The two female morphs differ in morphology, pattern of egg production, and dispersal behaviour. I show that the production of dispersing females, and thus the level of dispersal, increases with increasing competition for resources. If related individuals compete for resources, dispersal can be favoured to decrease the level of competition faced by relatives, and can therefore be considered a cooperative trait (Hamilton and May, 1977). Dispersal theory predicts that higher levels of dispersal will be favoured when fewer foundresses lay eggs on a patch, because the relatedness between non-dispersing competitors will be higher (Comins, 1982; Comins et al., 1980). In contrast to these predictions, I found that the level of relatedness has no affect upon the pattern of dispersal in *Melittobia*. While this is unlikely to be because there is little variation in foundress number in natural populations (Herre, 1987); it is possible that high relatedness may occur between co-founding females, which would favour lower levels of dispersal (Frank, 1998). Variation in relatedness created by changes to foundress number has implications both for the evolution of dispersal and sex allocation, and this may help discriminate between possible explanations for why the sex ratio in *Melittobia* shifts little in response to LMC (chapter 2; Hamilton, 1967). When dispersal and sex ratio are considered simultaneously, theory predicts that if one sex disperses less, a sex ratio biased towards the more-dispersing sex will be
favoured, as this sex faces less competition locally (Bulmer and Taylor, 1980a; Hamilton, 1967a; Taylor, 1981). In *Melittobia*, fighting between males would favour variation in female dispersal with changes in foundress number. In contrast, both weak selection for sex ratio adjustment and high relatedness between co-founding females, would predict no variation in dispersal, along with no sex ratio adjustment; this is consistent with my findings. There are a number of reasons for variation in the production of dispersal morphs in *Melittobia*; testing these explanations and their influence on sex ratios fully requires more data from natural populations.

5.1.3 Extreme conflict in *Melittobia*

In chapter 4, I examine the nature of mating competition – in the form of fatal fighting - between male *Melittobia*. We know that greater male density results in a greater intensity of fighting, and shorter male lifespan, while greater female density may reduce the frequency of fights (appendix 1, chapter 4). Fighting ability is closely connected to body size in *Melittobia*, with large males having a high probability of winning fights. There is no variation in the frequency of fights whether opponents are evenly matched, or there is asymmetry in their fighting ability (appendix 1, chapter 4); although conflict limitation is common in most species (Maynard-Smith and Price, 1973), this result suggests that no opponent assessment occurs between male *Melittobia*. When extreme conflict does evolve, theory predicts that the occurrence and intensity of fights will vary with resource value, the number of competitors, and the level of relatedness between them (Enquist and Leimar, 1987; 1990; Murray, 1987; Reinhold, 2003). I found no influence of resource value on levels of fight intensity; this is consistent with the theoretical prediction that when the current value of a resource far outweighs any potential future value, and is closely associated with lifetime reproductive success, fighting will always be favoured (Enquist and Leimar, 1990). In such cases, all that matters is the current resource value – here, the availability of female mates – and the future resource value, which for male *Melittobia* is low, given their short lifespan and limited number of female mates available. I show that male *Melittobia* adopt a relatively
fixed behavioural strategy, and do not modify fighting behaviour in response to variation in the likely costs of fighting.

Theory predicts that, if males are able to discriminate kin, then competition between relatives should be less aggressive, as males are predicted to be more violent towards non-relatives, in order to reduce the competition faced by relatives competing with the same pool of opponents (Gardner and West, 2004; Reinhold, 2003). Here, I found no variation in fight intensity with the level of relatedness between opponents, which suggests that *Melittobia* are unable to discriminate kin – consistent with studies of other non-social insects (Fellowes, 1998; Reece et al., 2004; Shuker et al., 2004b). Moreover, this is an example of where the local scale of competition means that any kin selected benefit of reduced conflict with closer relatives, is negated by increased competition with other relatives (West et al., 2001; 2002).

5.2 **Conclusions**

5.2.1 **From cooperation to conflict**

Peaceful cooperation between individuals, and violent contests when conflict escalates, could not appear to be more different. In fact, all interactions stem from a conflict of interest between the individuals involved, where each will act to maximise their own fitness. But, a conflict of interest can be resolved in many ways, which manifests as this spectrum of interactions ranging from cooperation to extreme conflict. Behaviour at both extremes of the spectrum is less common: it is unlikely to be good for an individual to help others with no benefit to themselves, and is rarely worthwhile incurring the extreme costs of escalated conflict. Understanding the costs and benefits of a behaviour to different individuals, and considering the relatedness between individuals that interact, can help explain why we see certain behaviours in particular scenarios. And, the most informative examples are often those that are unusual, and lie at the extremes of the spectrum of potential behaviour. With a natural history that is unusual in a number of respects, *Melittobia* is a good system for trying to explain the full range of interactions between individuals, from
cooperation through to extreme competition. While LMC theory predicts that individuals should produce less female-biased sex ratios when many females lay eggs on a patch, a social evolution approach predicts that when these females are related, all will benefit by cooperating and laying a higher proportion of daughters. Cooperation of this kind may partly explain the unusual pattern of sex allocation in Melittobia. Conversely, when competition is local, individuals will not benefit from favouring related competitors, if this advantage is counteracted by an increase in competition between these relatives. This may explain why male Melittobia will engage in violent, escalated conflict with brothers.

5.2.2 “Social behaviour must be analysed in its full ecological and demographic context” (Frank, 1998)

Social evolution considers behaviours where individuals interact, and which have consequences for the fitness of all individuals involved. A number of social traits have been theoretically modelled extensively, including those where the relevant biological variables are easy to identify, such as sex ratio and dispersal. In such cases, these biological variables can also be measured empirically with relative ease. Social behaviours rarely occur in isolation, and are predicted to interact in all manner of ways. While it is possible to try and understand traits by considering them in isolation, this does not always lead to a close match between theory and observation; moreover, although theory is able to explain many of the patterns observed, this may not capture the full picture of social behaviours in a system. Therefore, social evolutionary theory also considers combinations of social traits, and the interactions between them – for instance, sex ratio and dispersal. While the predictions of these models may be harder to test empirically, systems such as Melittobia allow some questions to be asked about how different social traits inter-relate, and provide some interesting links between the different areas of social evolution.
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Appendices